

Gas Network Simulation and Optimization

Alfredo Bermúdez, Julio González-Díaz,
Francisco J. González-Diéguez and Ángel M. González-Rueda

University of Santiago de Compostela
and
Reganosa

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Contents

① Introduction

② Modeling

- Definiton
- Mathematical model
- Equations of the model

③ Optimization

- Optimization goals
- Constraints
- Algorithm

④ GANESOTM

⑤ Application to the Spanish gas network

⑥ Conclusions



Technical Sytem Manager

- The **Technical System Manager** of the Spanish gas network is a private company which, mainly:
 - is **in charge** of the physical operation of the network.
 - **gives advice** on network expansions based on past operation and peak day simulations.
- TSM does not have the **right incentives** to do these jobs efficiently.
- These **biased decisions** may harm other agents of the system.
- For this reason, we started a joint collaboration with our partner **Reganosa LNG company** in 2011.

Features of the Spanish gas network

- In practice, it is possible to transport gas between any two points thanks to the **high number of compressor stations**.
- It is also a **quite meshed network**, with many routing possibilities.
- Direction of **flow** in most pipes can **vary** from day to another.



Features of the Norwegian gas network

- The Norwegian gas network looks **like a tree**, where the gas flows from North to South.
- Flow **direction** is **known** in advance for most of the pipes.
- As we will see this allows for a **simpler resolution** of the physical equations of the system.

MATHEMATICAL MODEL OF A GAS NETWORK

Definition

Simulation based on a **mathematical model** of the **physical behavior** of the network in **steady-state**. The following elements can be modeled:

- compressor stations,
- regasification plants,
- international connections,
- virtual interconnection points,
- flow control valves,
- pressure control valves,
- closing valves,
- underground storage facilities.

Graph

- The network is modeled as a **directed graph**.
- The **edges** represent **pipes** and have an associated direction.
- The **Spanish network** can be modeled with around **500 edges** and **500 nodes**.



Equations for the model

The mathematical model can be deduced from the **Navier-Stokes** equations for compressible flows:

- Conservation of mass
- Conservation of linear momentum
- Conservation of energy

and the following **constitutive laws**:

- Newtonian viscous fluid
- State equation for real gases
- Fourier's law for the heat flow

Matrix system

Two families of equations:

- For each **node**, **conservation of mass** is computed.
- For each **edge**, **pressure loss** is computed.

$$\begin{pmatrix} 0 & \mathcal{A} \\ \mathcal{A}^t & 0 \end{pmatrix} \begin{pmatrix} \mathbf{p} \\ \mathbf{q} \end{pmatrix} - \begin{pmatrix} \mathbf{0} \\ \mathcal{F}(\mathbf{p}, \mathbf{q}) \end{pmatrix} = \begin{pmatrix} \mathbf{c} \\ \mathbf{0} \end{pmatrix}$$

where

- **p** is the pressure at the nodes,
- **c** is the exchanged mass flow with exterior at the nodes,
- **q** is the mass flow at the edges.

Pressure loss

$$\mathcal{F}(p, q) = p(L)^2 - p(0)^2 = -\frac{\lambda(q)L}{DA^2} R \theta_m |q| q Z(p_m, \theta_m) - \frac{2g}{R\theta_m} \frac{p_m^2}{Z(p_m, \theta_m)} (h(L) - h(0))$$

being

- λ is the coefficient of friction, computed with **Colebrook** or **Weymouth**.
- Z is the compressibility factor, computed with **AGA-8** or **SGERG-88**.

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Simulator

$$\begin{pmatrix} 0 & \mathcal{A} \\ \mathcal{A}^t & 0 \end{pmatrix} \begin{pmatrix} \mathbf{p} \\ \mathbf{q} \end{pmatrix} - \begin{pmatrix} \mathbf{0} \\ \mathcal{F}(\mathbf{p}, \mathbf{q}) \end{pmatrix} = \begin{pmatrix} \mathbf{c} \\ \mathbf{0} \end{pmatrix}$$

- These steady-state equations are solved by means of **newton-like** numeric algorithms.
- They are also the kernel of our steady-state **simulator**.

OPTIMIZATION OF GAS TRANSPORT NETWORKS

Optimization goals

- The **optimization goals** might be minimize:
 - the **self-consumption** in the compressor stations,
 - the **boil-off gas** in the regasification plants
 - the **bottlenecks**,
 - ...
- The **variables to optimize**:
 - compression ratio at the **compressor stations**,
 - decompression ratio on **PCVs**,
 - flow on the **FCVs**,
 - flow on the **regasification plants**, **international connections**, ...

Constraints (I)

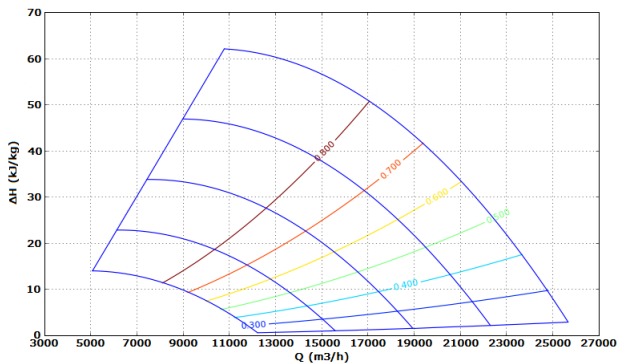
The **constraints** of the optimization problem refer, mainly, to:

① **security of supply:**

- **imposed flow** at the exit points,
- **minimum pressure** at each point of the network,
- **maximum pressure** at each point of the network,
- **capacity** at each pipe of the network,
- ...

Constraints (II)

2 Operational ranges in the compressor stations.



Algorithm (I)

In order to optimize the gas transport network, we have developed a **two-stage procedure**:

- ➊ Disregarding some second order physical effects, a first algorithm obtains an **initial solution**, which is used to **configure the network** (compressor stations, PCVs, ...)
- ➋ Based on this configuration, a second algorithm **refines the previous solution** with the aid of our simulator.

Algorithm (II)

- 1 Based on Sequential Linear Programming techniques.
- 2 Based on Control theory techniques.

1st: Sequential Linear Programming

- It consists in **iteratively linearize** the nonlinear constraints.
- Very good behavior in practice. Limit points are essentially “**local optima**”.
- Its main characteristic is that it does **local search** based on **bounded size steps** at each iteration.
- For our purpose, it has two “limitations”
 - **Binary** decisions/variables are not allowed.
 - It has to be **fine tuned** based on several parameters.

1st: Modified SLP

- We have developed a **modified version** of the SLP which avoids the limitations of classic version:
 - **Binary decisions** can be made.
 - **Few parameters** to be tuned.
- It allows **unbounded** size steps.
- It is more common to observe convergence problems such as **cycling** in our algorithm.
- Both SLP **optimize all** the pressures at the **nodes** and all the mass flows at the **edges**.

2nd: Control theory

- It starts with a **configured network**.
- Unlike the modified SLP, it is **not able to make decisions**.
- It is applied to our **simulator**, which represents the **physical state** of the network.
- **Implicit constraints**: it is not necessary to introduce the **pressure loss** and the **conservation of mass**.
- Therefore, **less variables to optimize**.
- It spends **more computational time**.

GANESO™

Definition

- All the **mathematical models** we have just presented are **included** in a software called **GANESO**.
- It stands for GAs NEtwork Simulation and Optimization.
- It is formed by a **kernel** (implemented in FORTRAN) and a **graphical user interface**.
- It is **not available for purchase**.
- **Reganosa** is **continuously using** GANESO for their internal operations and to analyze different operational possibilities of the system.
- The tool is **rapidly improving** thanks to the feedback received from them.



Capas

- Escenario test05
- fnodes
- fedges
- db_chemical
- fttransporters
- fpcvstations
- fling
- fcomstations
- foptions
- Cartografía
- Google Streets

"C:\Program Files (x86)\Quantum GIS Lisboa..."

High calorific value: 11.630083931921053 kWh/m3(N)

Relative density: 0.5886819474335996

Creating gas network object ...

Reading nodes file ...

Reading edges file ...

Reading stations file ...

Reading pcvs file ...

Reading transporters file ...

Creating problem object ...

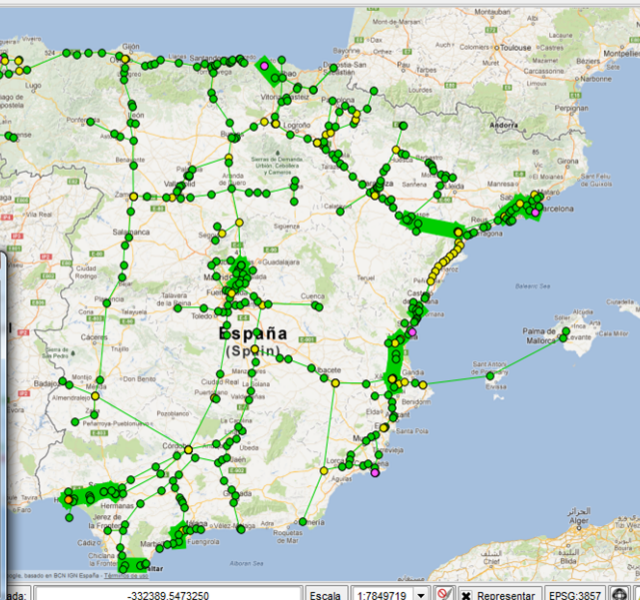
Solving equation of state ...

delta 348.10448984277537

delta 85.593082378399984

delta 20.351931301889923

Close



Graphical User Interface

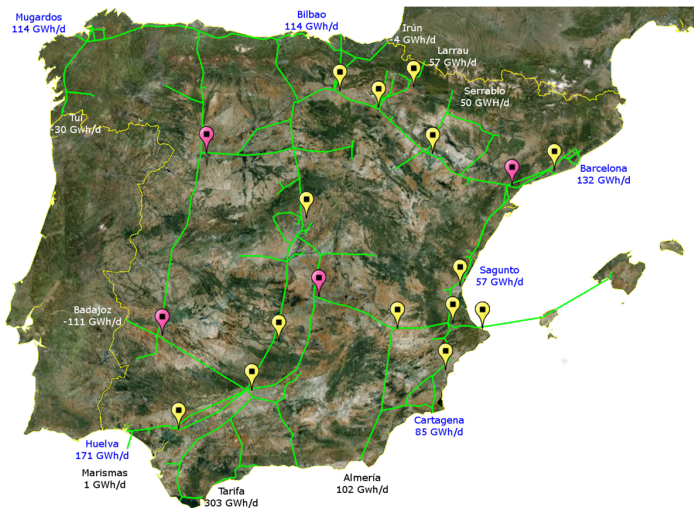
- The graphical user interface is based on a open source project called **Quantum GIS**.
- A specific **plug-in** was developed in order to interact with the kernel.
- It allows to employ **on-line cartography** services, such as Google Maps and Open Street Map, and off-line cartography.
- GANESO can read and write **Microsoft Excel XML** files. It can also write **Google Earth** files.

OPTIMIZATION OF THE SPANISH GAS NETWORK

Optimization premises

- International connections and underground facilities are taken as fixed inputs.
- The optimizer has freedom to choose the distribution of flow among the regasification plants.
- The optimizer has freedom to choose how to use compressor stations, PCVs and FCVs.
- The cost function is based on the gas consumption in the compressor stations.
- Work day of January with low demand.

Usual management without optimization



Optimized management



Distribution of flow in the plants

[GWh/day]	No opt.	With opt.
Barcelona	131.8407	241.6383
Bilbao	113.8560	90.6997
Cartagena	85.3920	38.2229
Huelva	170.7840	83.6432
Reganosa	114.1571	106.4408
Sagunto	56.9280	112.3129

Before Vs After:

- From South = Cartagena + Huelva = -134.3099 GWh/d
- From North = Reganosa + Barcelona + Bilbao = +78.9250 GWh/d

Compression cost in the stations

[GWh/day]	No opt.	With opt.
Alcazar	0.2909	-
Algete	-	-
Almendralejo	0.2650	0.1587
Baneras	-	-
Chinchilla	-	-
Cordoba 1	-	-
Cordoba 2	-	-
Crevillente	-	-
Denia	-	-
Haro	-	-
Montesa	-	-
Navarra	-	-
Paterna	-	-
Puertollano	-	-
Sevilla	-	-
Tivisa	0.2229	-
V. Arnedo	-	-
Zamora	0.1516	-
Zaragoza	-	-
TOTAL	0.9304	0.1587

Remarks

- **GANESO** has optimized the distribution of flow among the regasification plants and the use of compressor stations.
- Based on this management, the cost could be up to **17 %** of the usual one.
- It took **5-10 minutes** on a desktop computer.

CONCLUSIONS

Conclusions

- We have developed new algorithms to optimize gas transport network problems, based on a **two-stage procedure**.
- In the first stage, based on **Sequential Linear Programming** techniques, an initial solution is obtained.
- Then, this initial solution is refined using a **Control Theory** approach.
- Furthermore, the above algorithms have been implemented in **GANESO**, which has proved useful for the company who funded this research.

Ongoing work

We are developing:

- A **transient** model for simulation and optimization.
- In order to help with the decision making regarding network expansions, we are enhancing GANESO with **stochastic programming** functionalities.
- A **parallel computing** version of GANESO.
- A system tariff module to analyze the guidelines of EU regarding the **entry-exit tariffs**.
- An additional module to compute the **gas loss allocation**.

TUSEN TAKK

Our financial supporters:

