

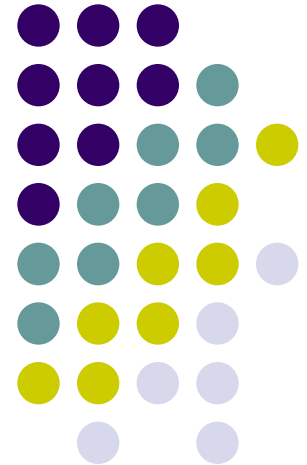
# An Experimental Study of CO<sub>2</sub> Exsolution and Relative Permeability

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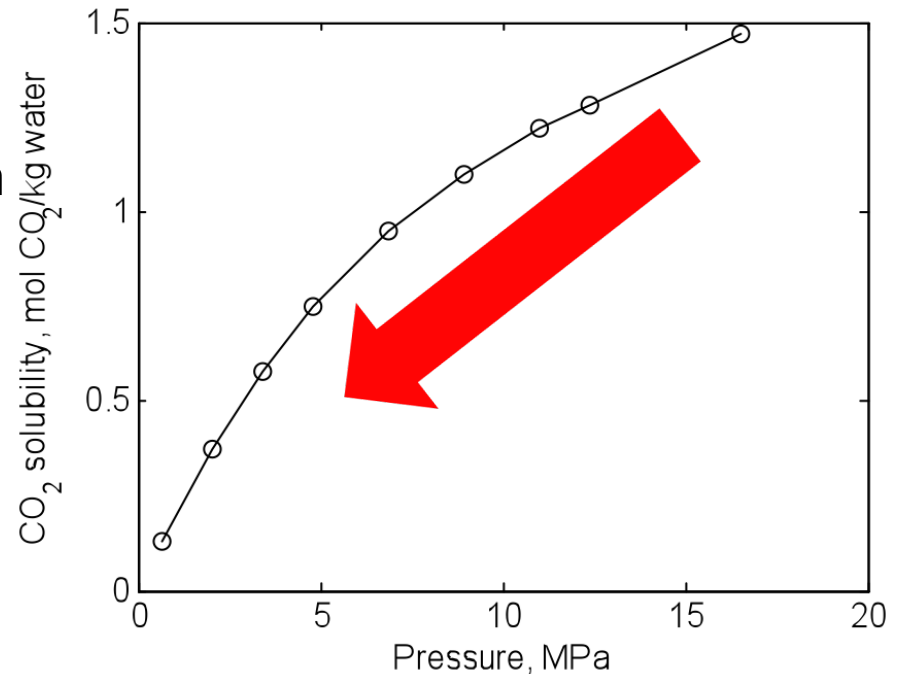
# Motivation

- Dissolution trapping is generally viewed as favorable trapping mechanism
- But, what are the risk of dissolution trapping?

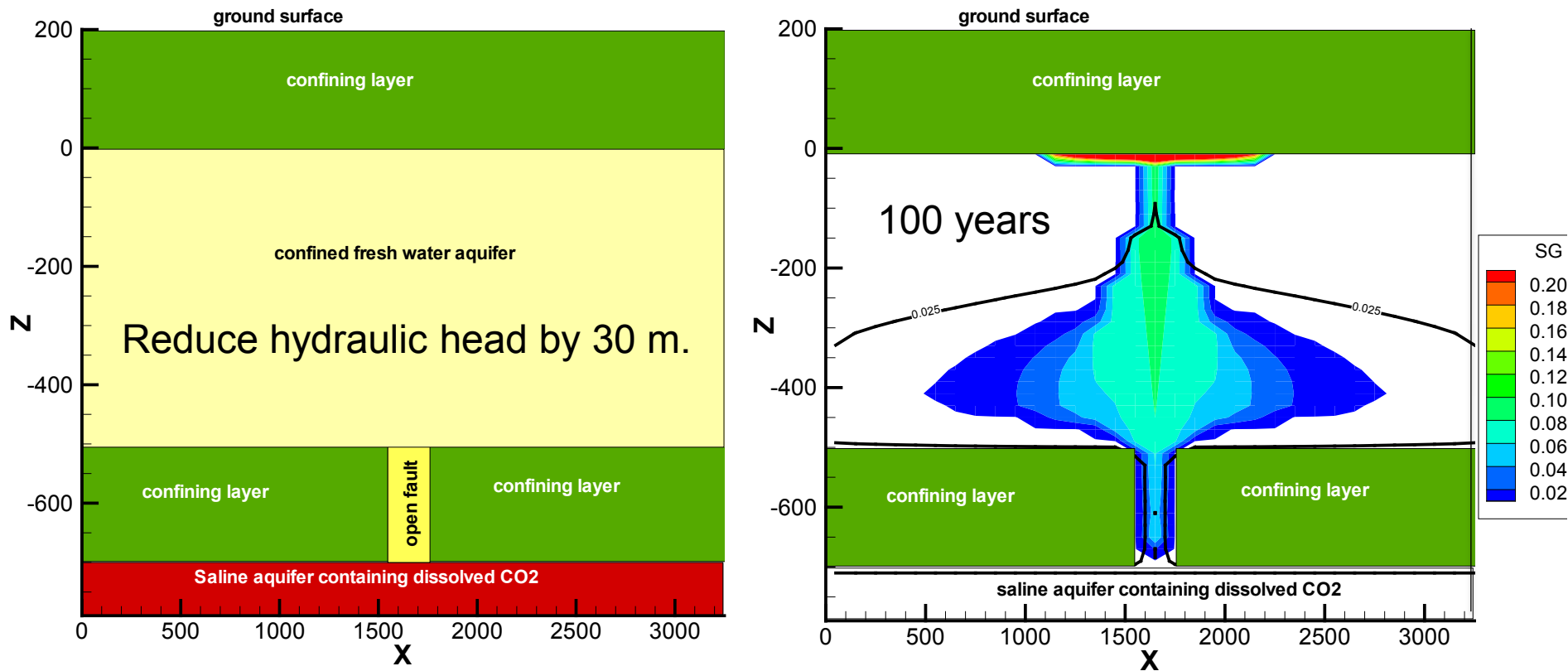
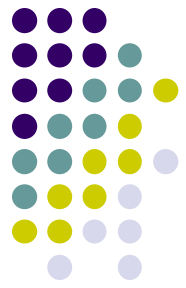
⇒ CO<sub>2</sub> saturated brine

⇒ Brine migration through the seal

⇒ Exsolution of CO<sub>2</sub> as the pressure decreases creates separate phase CO<sub>2</sub>



# Simulated Results of Pumping a Shallow Aquifer



*TOUGH2-ECO2N simulation of the effects of groundwater extraction on brine migration and CO<sub>2</sub> exsolution.*

# Analog from oil production



- Solution Gas Drive

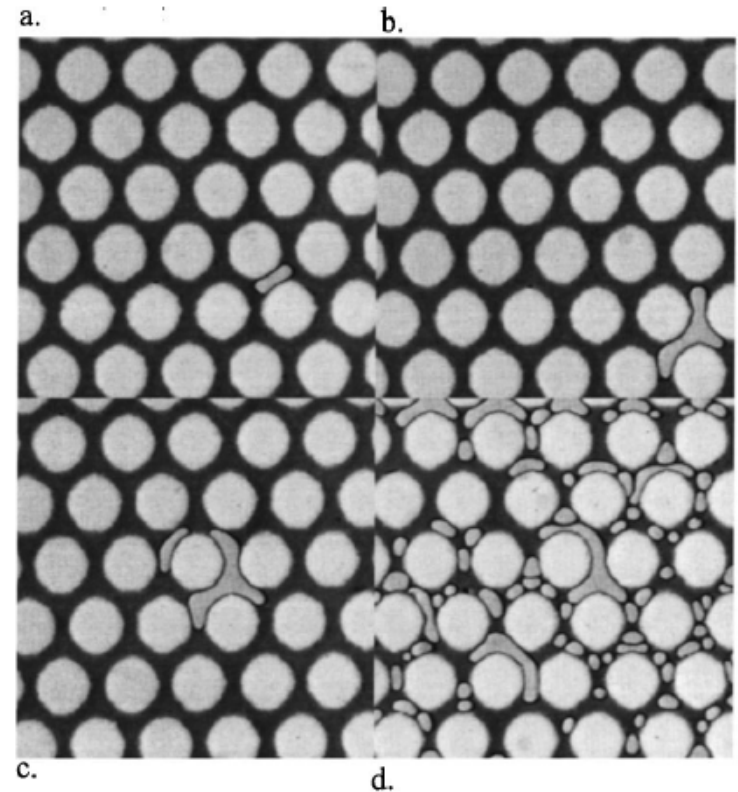
⇒ gas exsolves from oil

- Insights from Petroleum Industry

⇒ critical gas saturation ( 1% ~ 40% )

⇒ intermittent gas flow

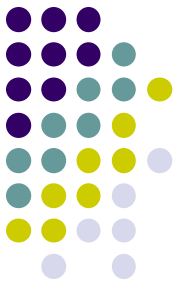
⇒ low gas mobility



Nucleation, growth, migration and breakup of gas bubbles

**Low gas mobility hypothesized to result from high oil viscosity.**

R. Bora, B.B. Maini, A. Chakma: "Flow Visualization Studies of Solution Gas Drive Process in Heavy Oil Reservoirs Using a Glass Micromodel". SPE Reservoir Eval. & Eng. **3**(3), June 2000.



# Objective

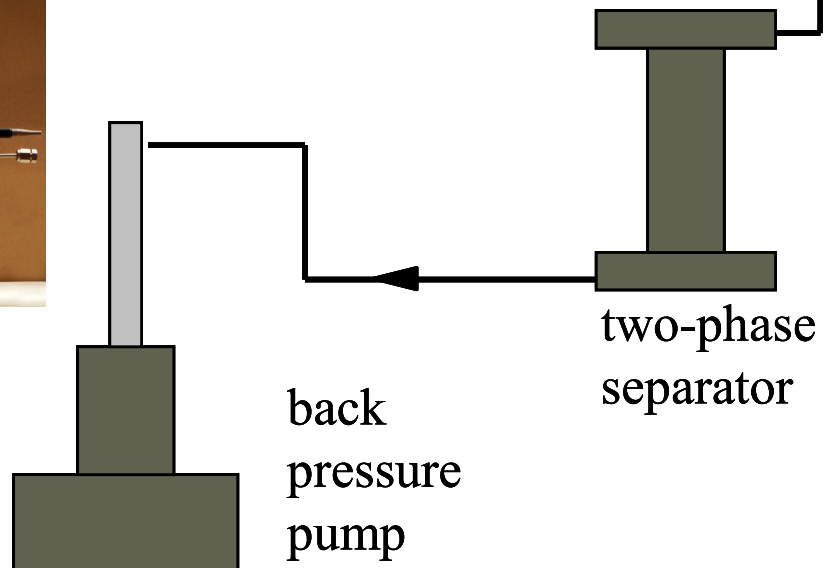
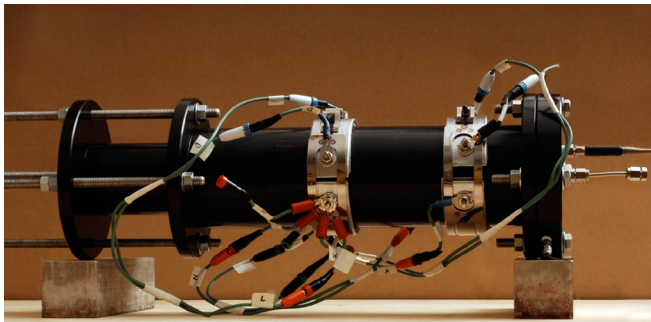
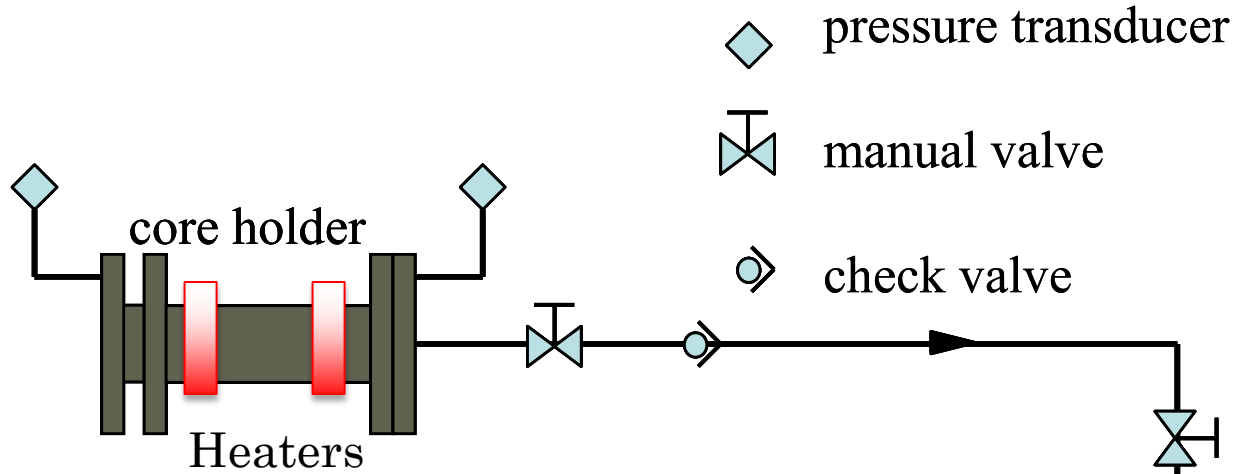
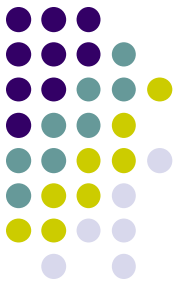
## Questions:

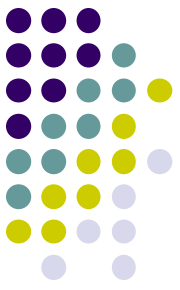
- Can we observe the evolution of an exsolved CO<sub>2</sub> phase?
- What are the flow properties of exsolved CO<sub>2</sub> phase?
- What is the fate of exsolved CO<sub>2</sub>?

## Approach:

- Conduct core-scale exsolution experiments with a CT scanner
- Calculate relative permeability curves for exsolved CO<sub>2</sub> phase and water

# Experimental Setup





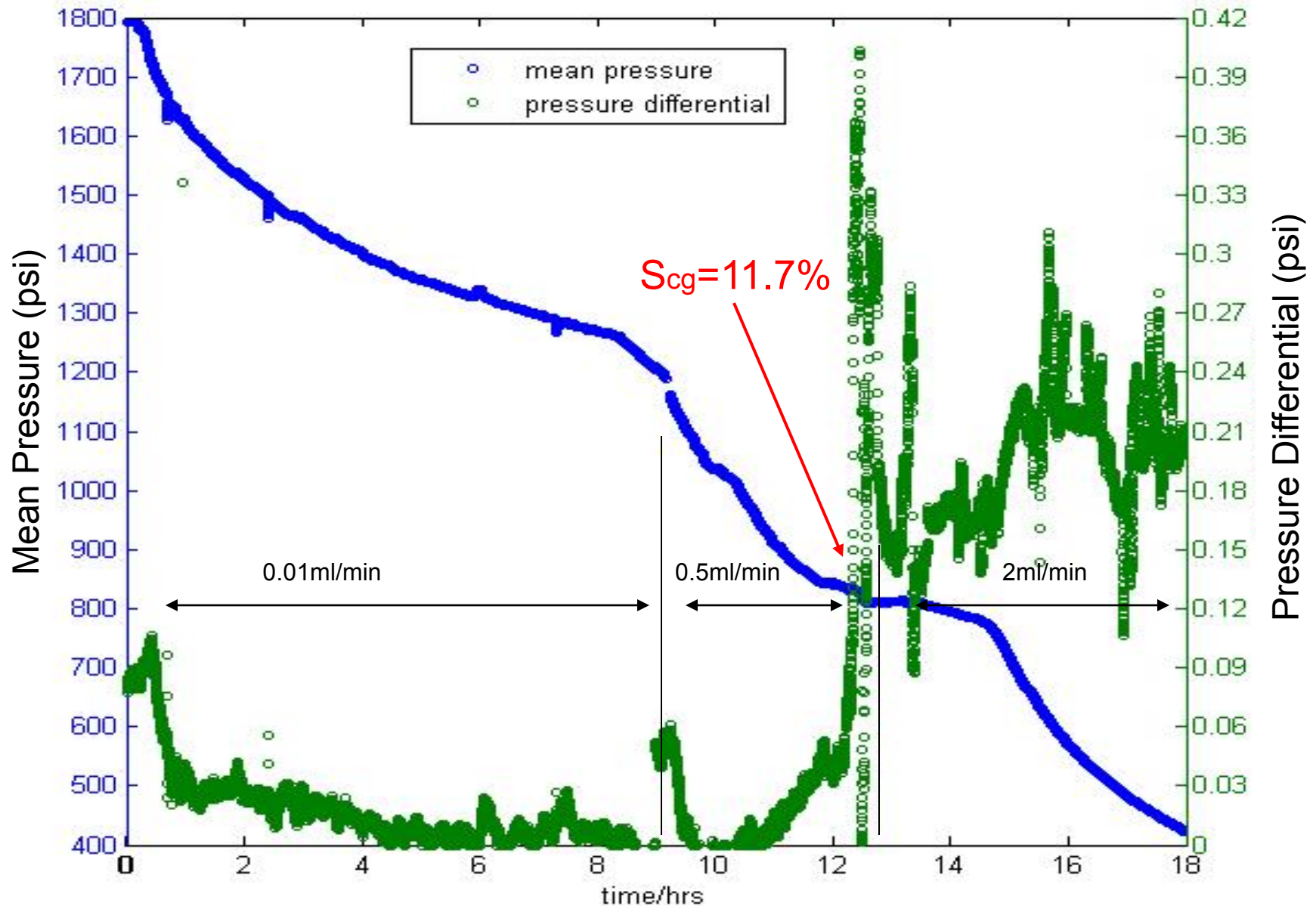
# Experimental Procedure

1. Pre-equilibrate water and CO<sub>2</sub> at storage reservoir pressure and temperature (12.4 MPa and 50°C)
2. Inject pre-equilibrated fluid into water saturated rock
3. Extract fluid at a series of constant volumetric flow rates while measuring pressure upstream and downstream of the core
4. Measure saturation using X-Ray CT scans of the core periodically (10 replicates at each location)
5. Calculate flow rate of water and CO<sub>2</sub> from mass balance based on S, P and T data.



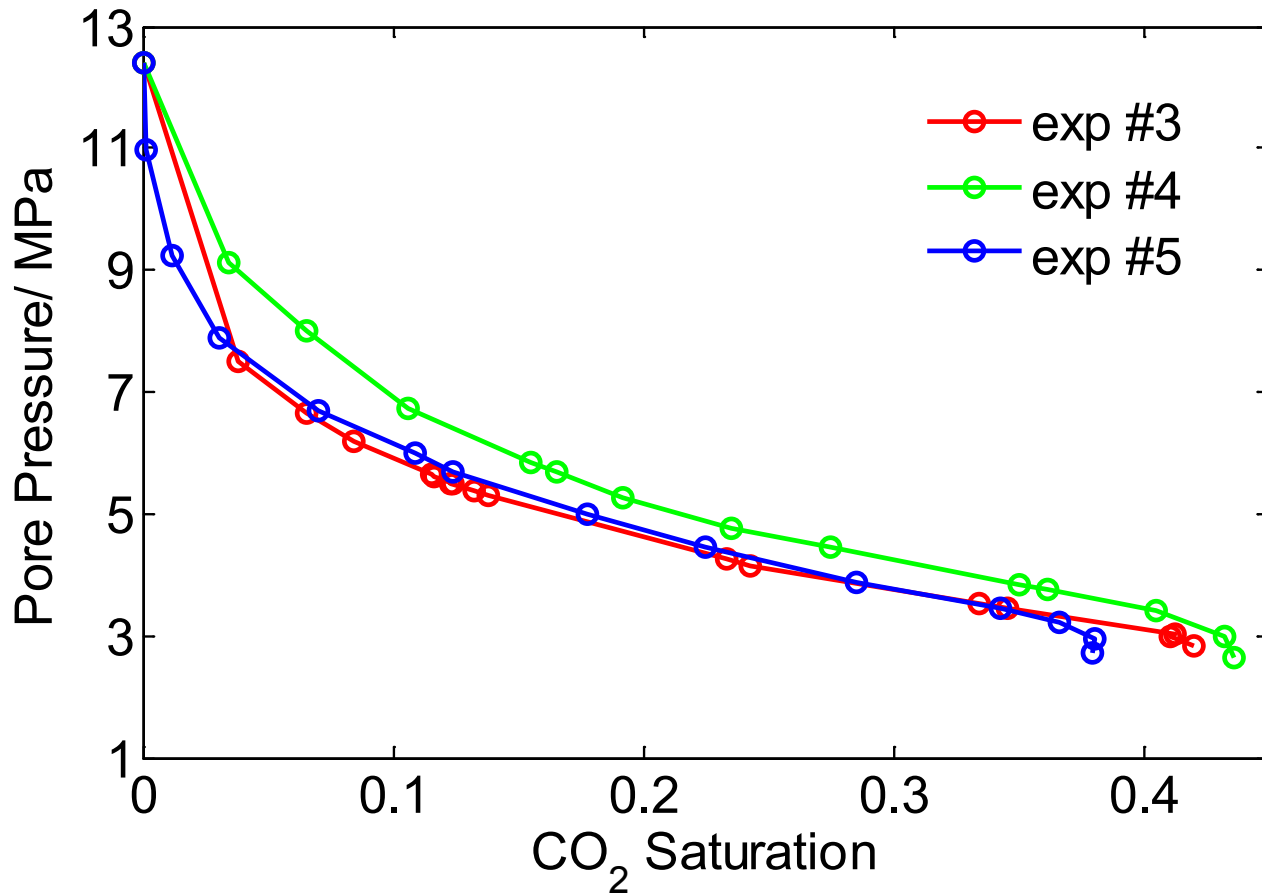
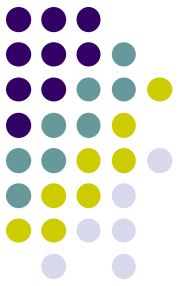
Two experiments were conducted on a Berea sandstone (963mD), exp #3 and exp #4, and one was conducted on a Mount Simon sandstone (15mD), exp #5

# Typical Pressure Data Set



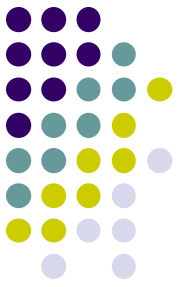


# Measured Exsolved CO<sub>2</sub> Saturations



Pore pressure versus average CO<sub>2</sub> saturation during depressurization

# Relative Permeability Calculation

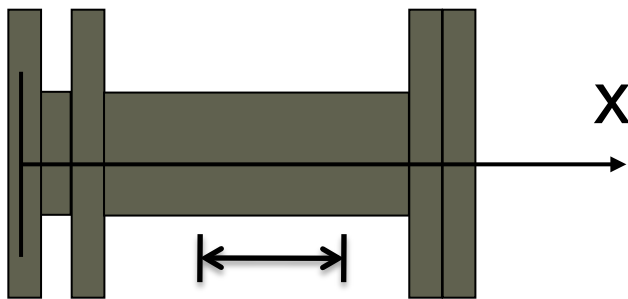


Assume: 1D problem

Constant pressure drop

Uniform density

Uniform saturation



L = core length

$$k_{r_w} = \frac{\mu_w L q_w}{2 A k \Delta p} \quad \text{and} \quad k_{r_g} = \frac{\mu_g L q_g}{2 A k \Delta p}$$

where

$\Delta p$  = pressure drop (Pa)

$\mu$  = viscosity (Pa-s)

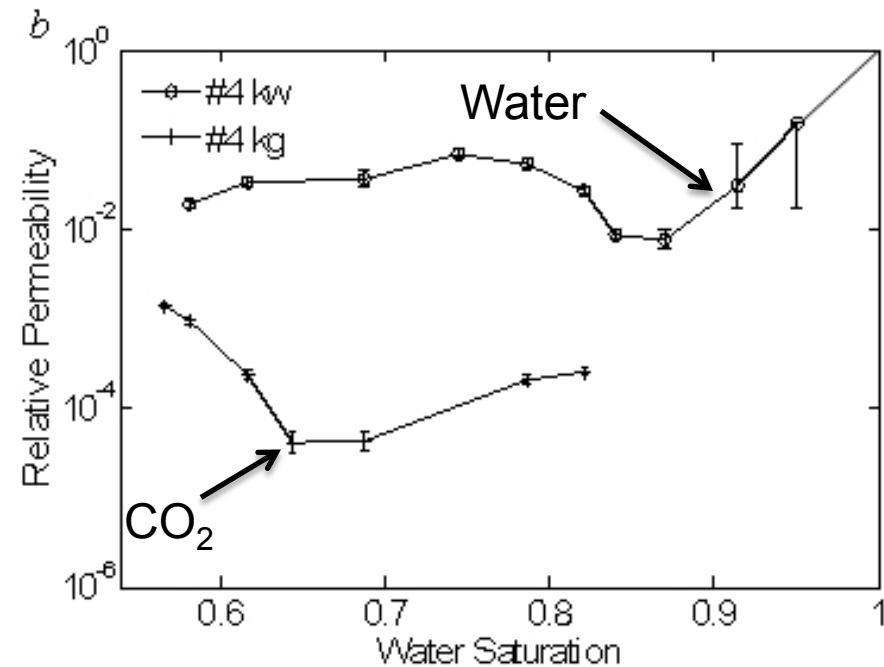
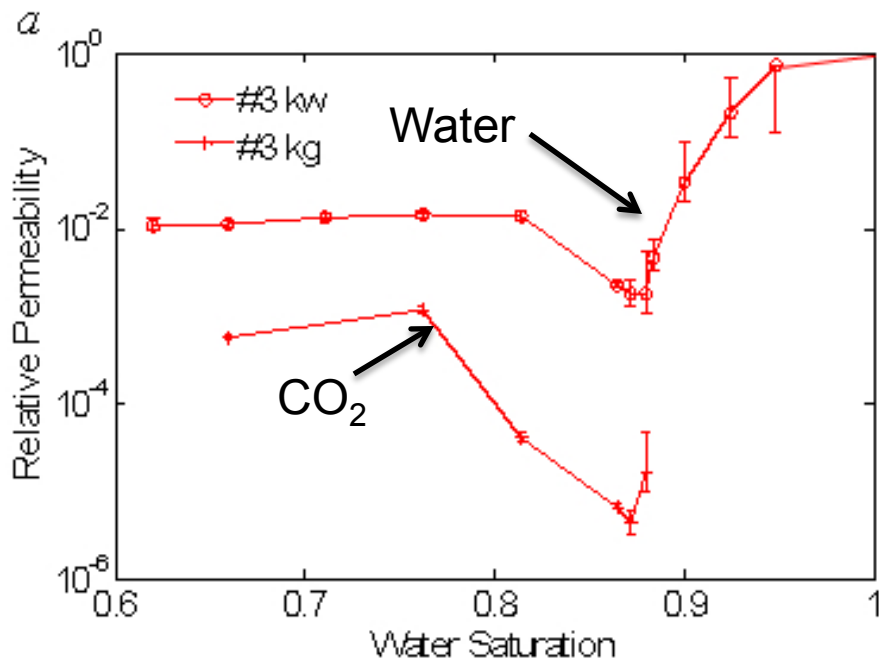
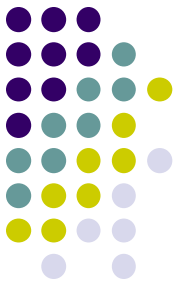
$q$  = volumetric flow rate ( $m^3 / s$ )

$A$  = Area ( $m^2$ )

$k$  = permeability ( $m^2$ )

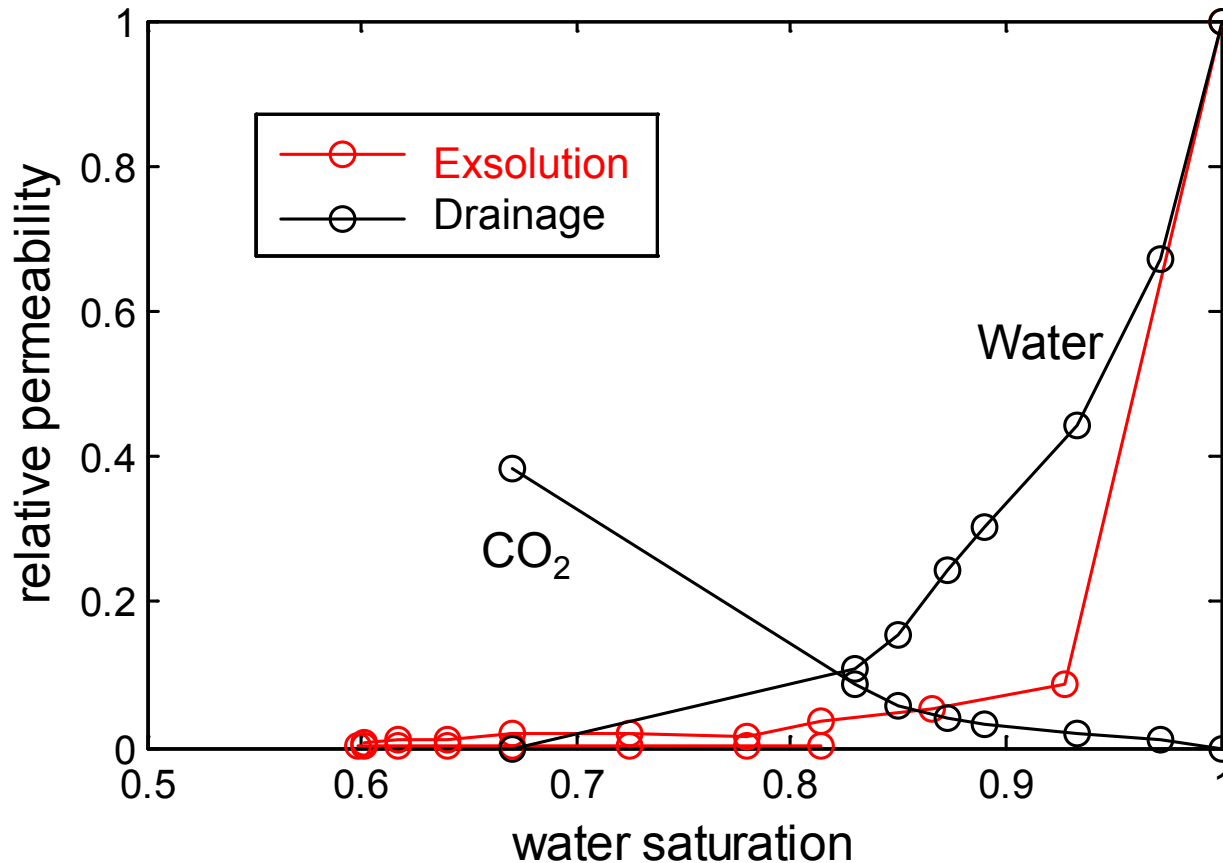
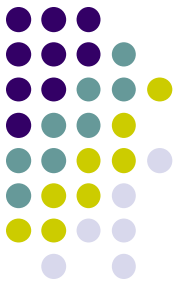
$L$  = length (m)

# Relative Permeability Curve



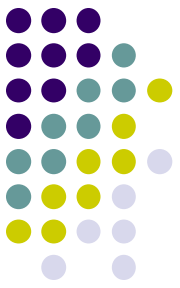
Relative Permeability Curves for the Berea Sandstone

# Comparison to Drainage Relative Permeability Curve

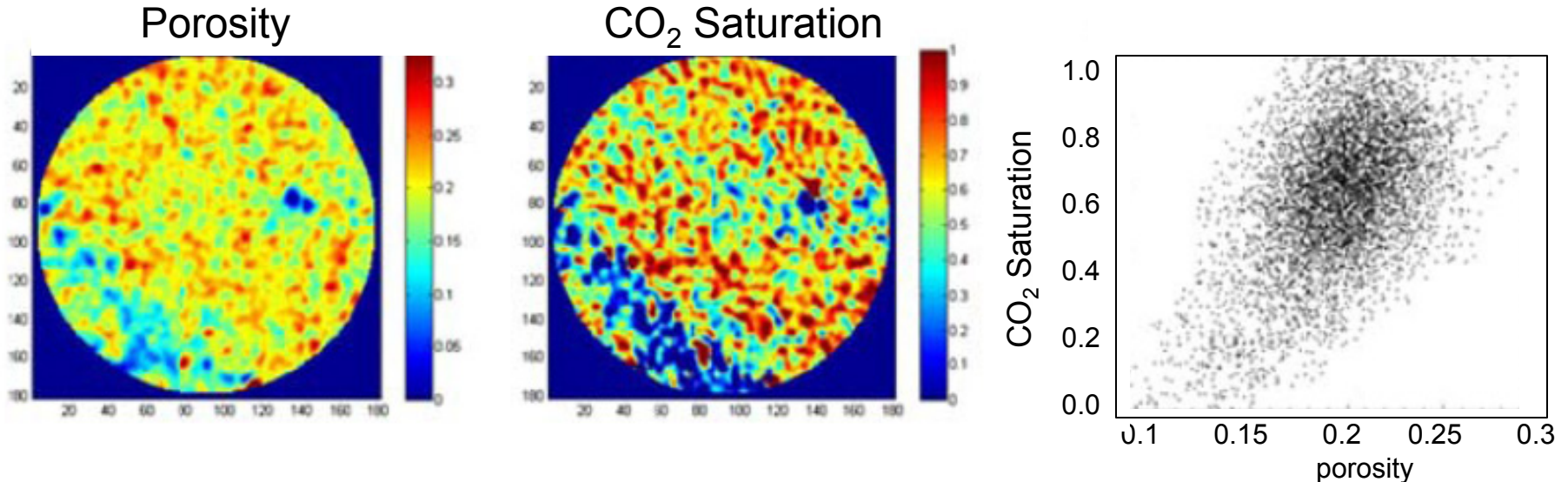


Why is the relative permeability of exsolved CO<sub>2</sub> so low?

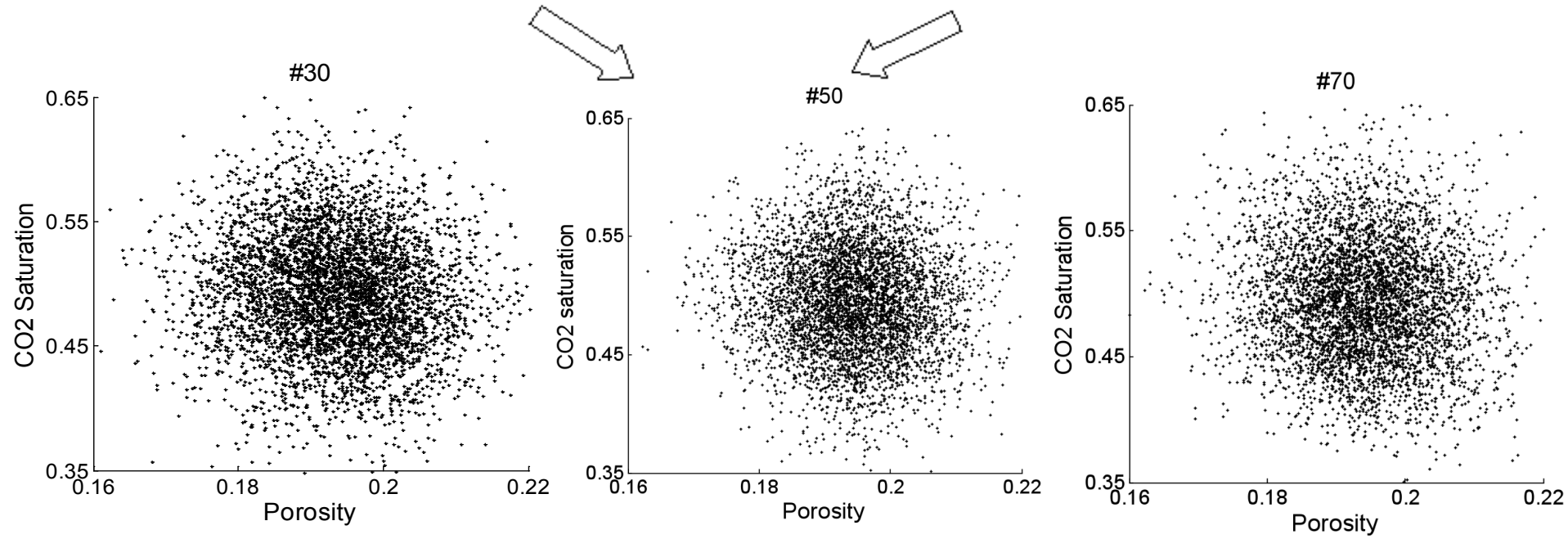
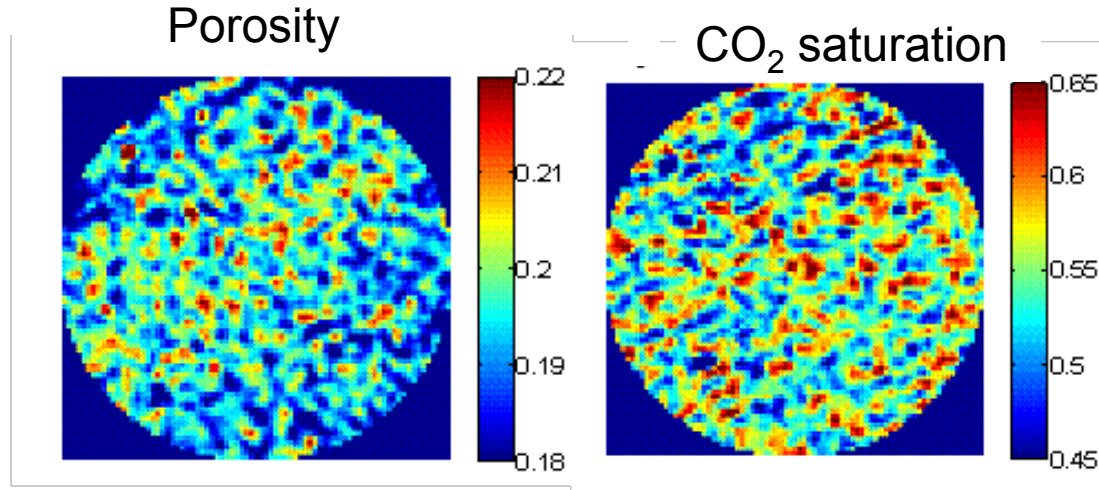
# CO<sub>2</sub> Saturation vs. Porosity in a Typical Drainage Experiment



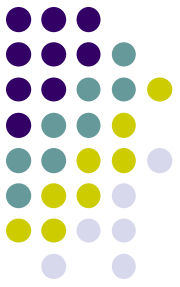
- Weak but significant correlation observed in standard core flooding experiments.
- Water and CO<sub>2</sub> develop separate flow paths which limits interference between the phases



# Distribution of Exsolved CO<sub>2</sub>



# Why is the Relative Permeability so Low?

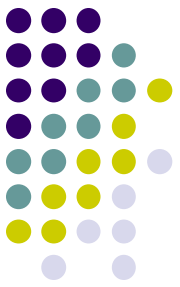


## Hypothesis

- Homogeneous exsolution throughout the pore spaces
- CO<sub>2</sub> bubble block water flow leading to low  $k_{rw}$
- CO<sub>2</sub> bubbles form a poorly connected phase which leads to low  $k_{rCO_2}$

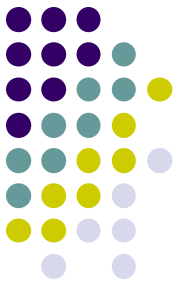
*Micromodel studies now underway to test this hypothesis.*

# Conclusion



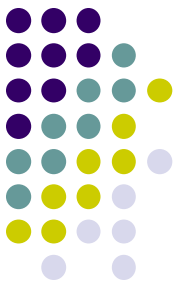
- Significant amount of CO<sub>2</sub> exsolves from solution as pressure drops
- Critical gas saturation of 11.7%~15.5%
- Relative permeability to both phases is very low, much lower than expected based on drainage relative permeability curves
- CO<sub>2</sub> exsolves homogeneously throughout the rock
  - Explains the low relative permeability to water
  - Exsolved gas bubble are disconnected, explaining low relative permeability to CO<sub>2</sub>
- Low relative permeability persists over periods of 11 day observation period
  - No re-distribution of CO<sub>2</sub> was observed during equilibration period
- Suggests that exsolution poses little risk for geological storage
- Significant reduction in both water and CO<sub>2</sub> mobility could be favourable for storage security after injection by preventing CO<sub>2</sub>'s migration or even block possible leakage paths



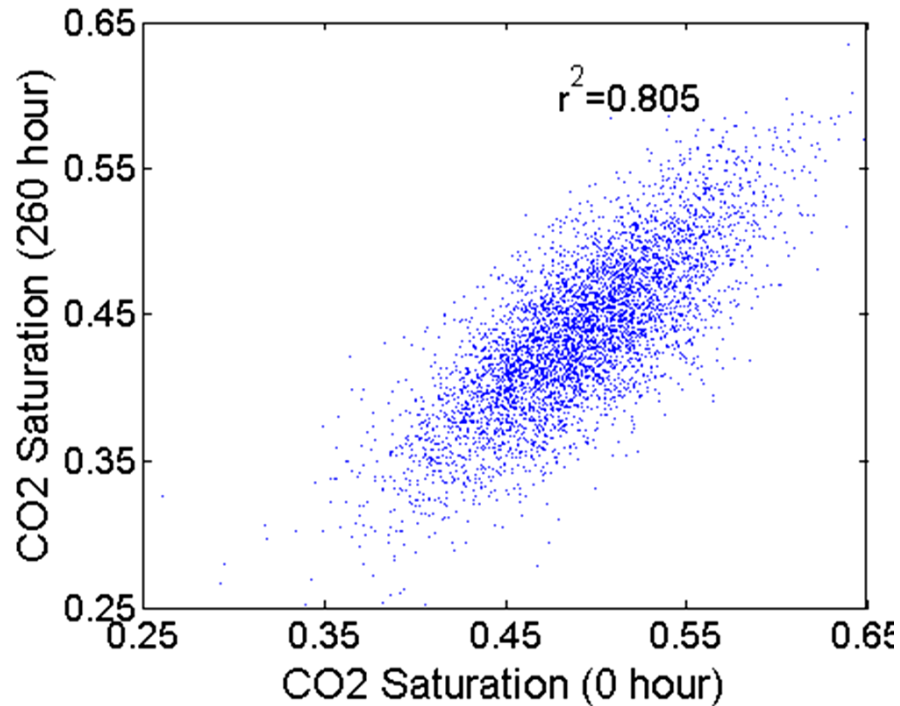


**Thank you**

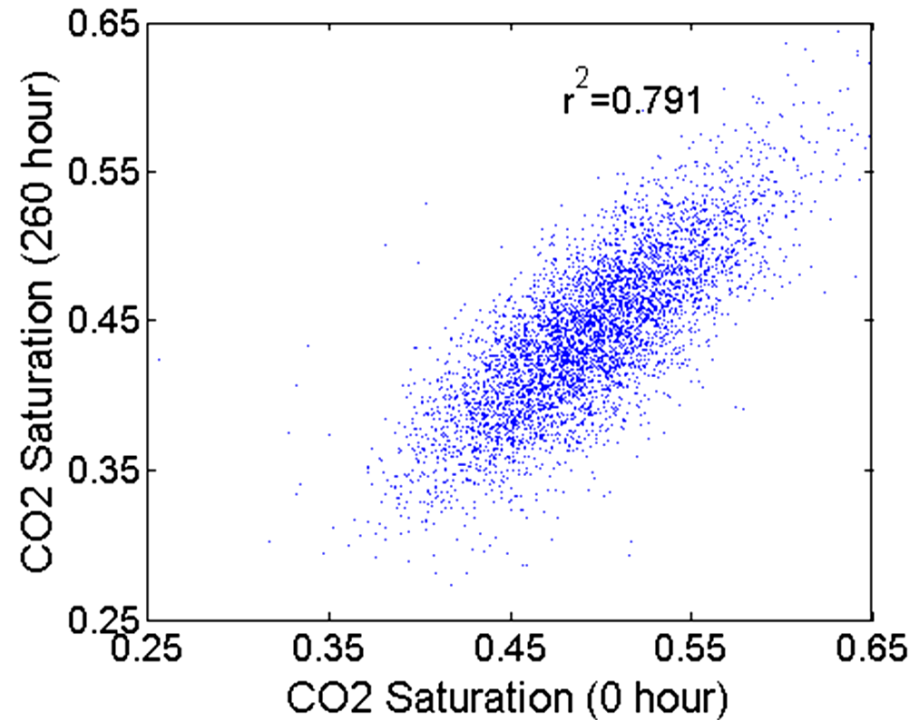
# CO<sub>2</sub> Saturation Distributions Remain Constant Over Time



Slice number 30

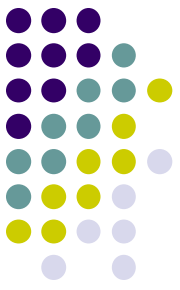


Slice number 70

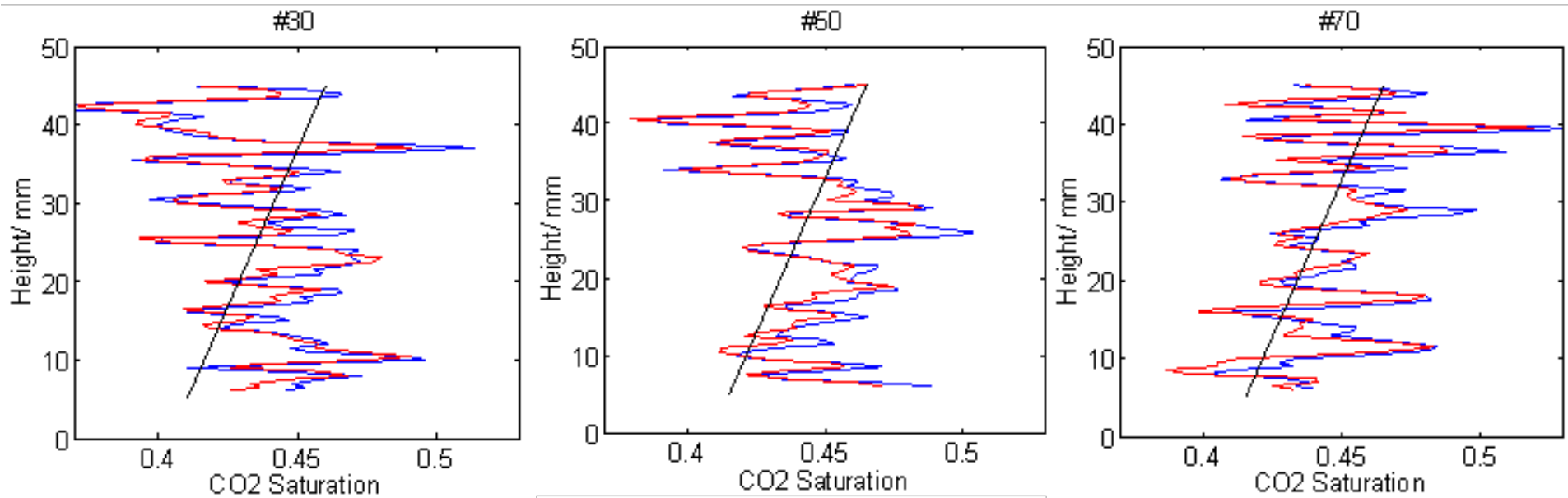


Pixel by pixel comparison of the CO<sub>2</sub> saturation immediately after exsolution and 260 hours later for two different portions of the core.

# No Obvious Evolution Towards Gravity-Capillary Equilibrium

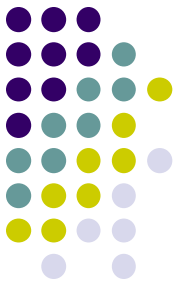
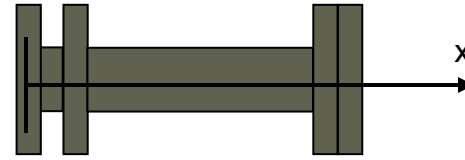


— 100 hrs — 260 hrs — calculation



Lack of evolution towards gravity-capillary equilibrium supports the conclusion the low mobility persists over 260 hours.

# Rel perm curve



Assume: 1D problem;  $\frac{\partial p}{\partial t}, \frac{\partial S}{\partial t}, \rho, \mu, S$  do not vary with  $x$

For gas phase:

$$\text{Darcy's Law: } u = -\frac{KKr}{\mu} \nabla p; \quad \text{1D: } u_x = -\frac{KKr}{\mu} \frac{\partial p}{\partial x}$$

$$\text{Integration from 0 to L: } \Delta p_g = -\frac{\mu_g}{KKr_g} \int_0^L u_{x,g} dx$$

$$\text{Continuity Eqn: } \frac{\partial(\rho_g \phi S_g)}{\partial t} + \nabla \cdot (\rho_g u_g) = 0; \quad \text{1D: } \frac{\partial(\rho_g \phi S_g)}{\partial t} + \frac{\partial(\rho_g u_g)}{\partial x} = 0$$

$$\phi \frac{\partial(\rho_g S_g)}{\partial t} + \frac{\partial(\rho_g u_g)}{\partial x} = 0 \Rightarrow \phi(S_g \frac{\partial \rho_g}{\partial t} + \rho_g \frac{\partial S_g}{\partial t}) + (\frac{\partial \rho_g}{\partial x} u_g + \frac{\partial u_g}{\partial x} \rho_g) = 0$$

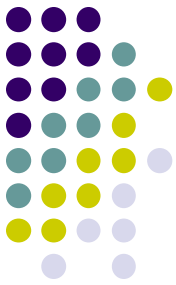
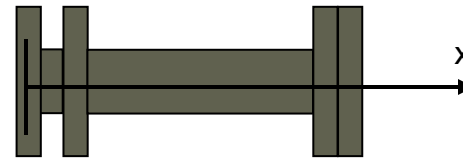
$$\text{Set } a = \phi(S_g \frac{\partial \rho_g}{\partial t} + \rho_g \frac{\partial S_g}{\partial t}) \Rightarrow \frac{\partial a}{\partial x} = 0$$

$$\frac{\partial \rho_g}{\partial x} = \frac{\partial \rho_g}{\partial p} \cdot \frac{\partial p}{\partial x} = \rho_g C_g \cdot \frac{\partial p}{\partial x} \approx 0, \quad \text{then } a + \frac{\partial u_g}{\partial x} \rho_g = 0$$

$$u_g(x) = -a \int_0^x \frac{1}{\rho_g} dx = -\frac{a}{\rho_g} \int_0^x dx, \quad u_g(L) = -\frac{a}{\rho_g} L$$

$$\text{Then: } \Delta p_g = -\frac{\mu_g}{KKr_g} \int_0^L u_{x,g} dx = -\frac{\mu_g}{KKr_g} \int_0^L \left(-\frac{a}{\rho_g} \int_0^x dx\right) dx = -\frac{\mu_g L}{2KKr_g} \frac{q_g}{A}$$

# Rel perm curve



Assume: 1D problem;  $\frac{\partial p}{\partial t}$ ,  $\frac{\partial S}{\partial t}$ ,  $\rho$ ,  $\mu$ ,  $S$  do not vary with  $x$

For water phase:

$$\text{Darcy's Law: } u = -\frac{KKr}{\mu} \nabla p; \quad \text{1D: } u_x = -\frac{KKr}{\mu} \frac{\partial p}{\partial x}$$

$$\text{Integration from 0 to L: } \Delta p_w = -\frac{\mu_w}{KKr_w} \int_0^L u_{x,w} dx$$

$$\text{Continuity Eqn: } \frac{\partial(\rho\phi S_w)}{\partial t} + \nabla \cdot (\rho u) = 0; \quad \text{1D: } \frac{\partial(\rho\phi S_w)}{\partial t} + \frac{\partial(\rho u)}{\partial x} = 0$$

$$\text{Constant density: } \phi \frac{\partial(S_w)}{\partial t} + \frac{\partial(u_w)}{\partial x} = 0$$

$$\frac{\partial(S_w)}{\partial t} \text{ doesn't change with } x: \quad u_w(x) = -\phi \frac{\partial(S_w)}{\partial t} \int_0^x dx, \quad u_w(L) = -\phi \frac{\partial(S_w)}{\partial t} L$$

Then:

$$\Delta p_w = -\frac{\mu_w}{KKr_w} \int_0^L \left( -\phi \frac{\partial(S_w)}{\partial t} \int_0^x dx \right) dx = \frac{\mu_w}{KKr_w} \frac{\phi \partial(S_w)}{\partial t} \frac{L^2}{2} = -\frac{\mu_w L}{2KKr_w} u_w(L) = -\frac{\mu_w L}{2KKr_w} \frac{q_w}{A}$$