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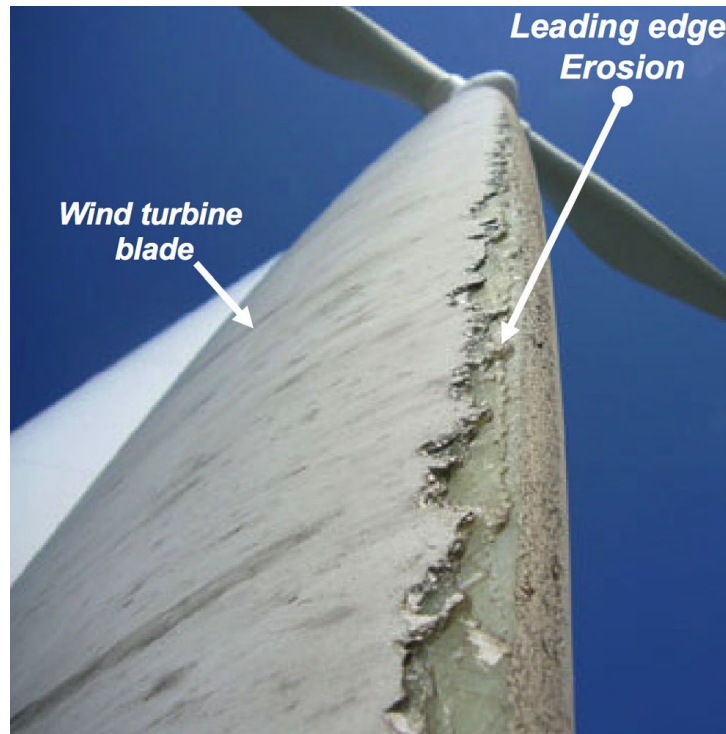
Modelling of rain-induced erosion of wind turbine blades Within an offshore wind cluster

Diederik van Binsbergen

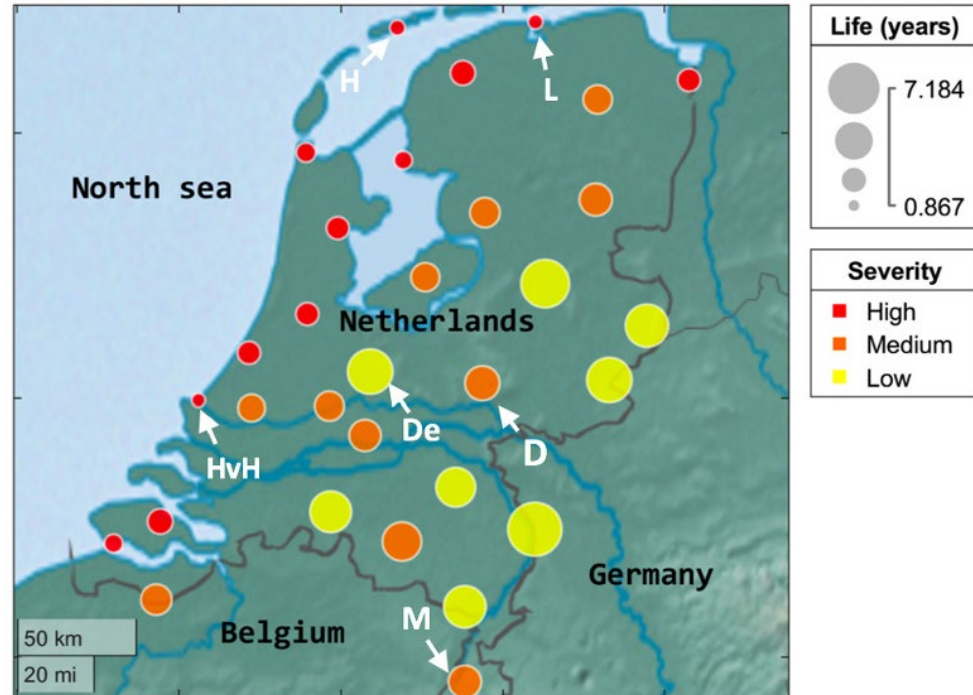
Amrit Verma, Amir Nejad, Jan Helsen

Shifting to wind farm wide erosion predictions

Going from a site-specific expected incubation time, towards ...



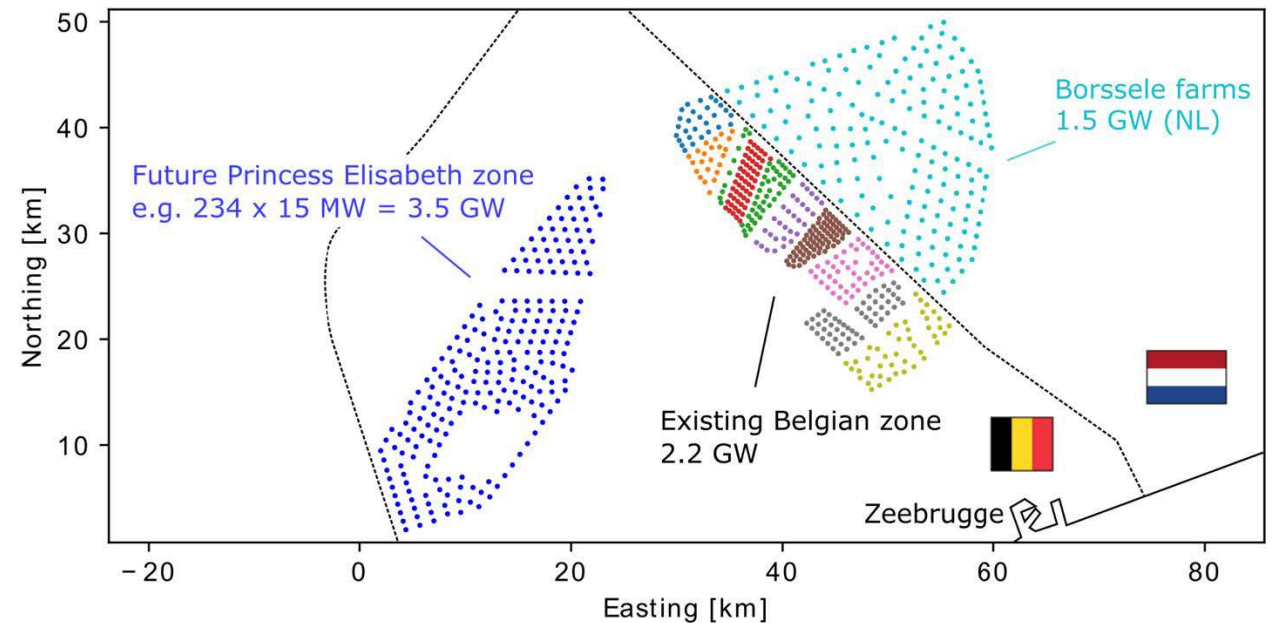
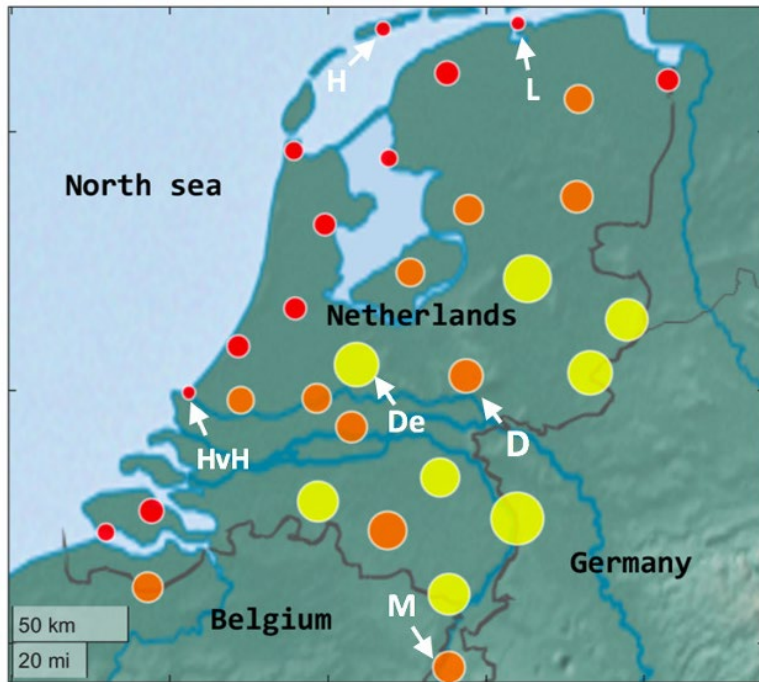
¹Example of leading-edge erosion



¹Expected lifetime for the wind turbine coating system applied on the DTU 10MW wind turbine

Shifting to wind farm wide erosion predictions

Going from a site-specific expected incubation time, towards farm-wide leading-edge erosion predictions.



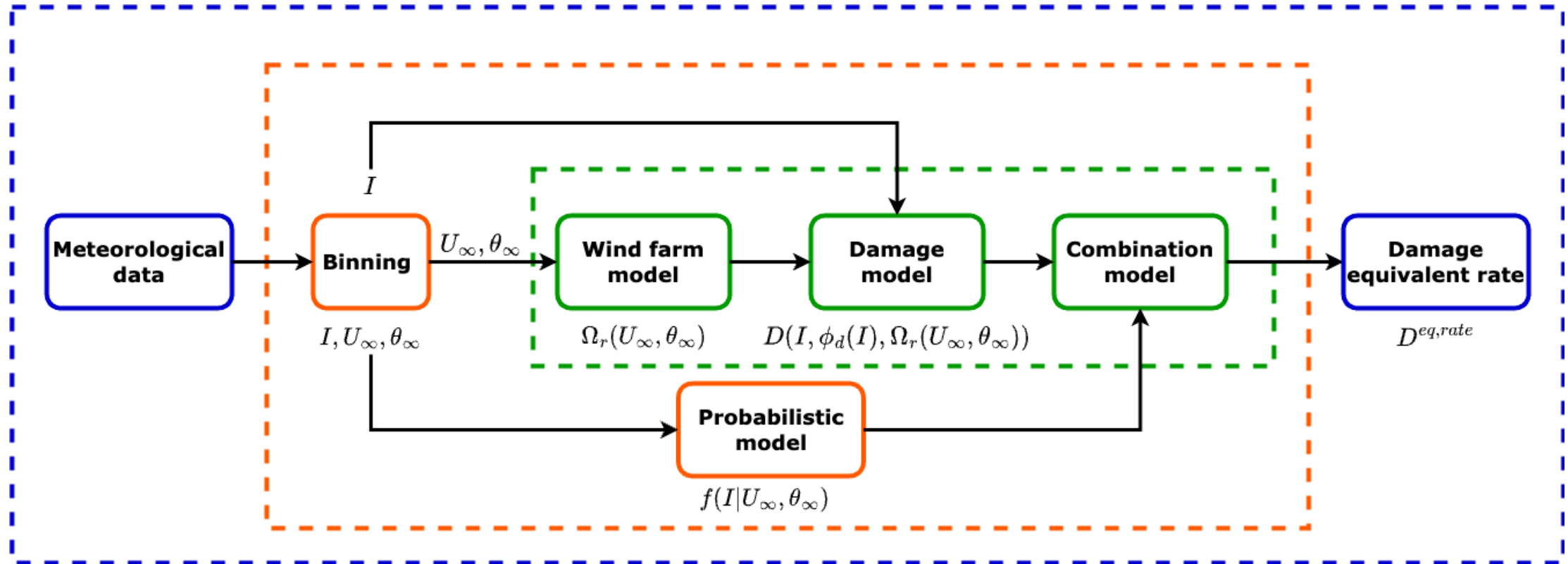
Visualization of the Belgian-Dutch offshore cluster with a combined rated capacity of 3.7 GW and the future Princess Elisabeth zone with a planned rated capacity of 3.5 GW.

¹Expected lifetime for the wind turbine coating system applied on the DTU 10MW wind turbine

Aim

- To provide insights into leading-edge erosion across large, clustered, wind farms.
- To investigate the impact of wind turbine wakes on the incubation period of leading-edge erosion in offshore environments.
- To equip operators with physics-based models for the planning and execution of maintenance and inspections for offshore wind turbines.

Overview of the methodology



Probabilistic model

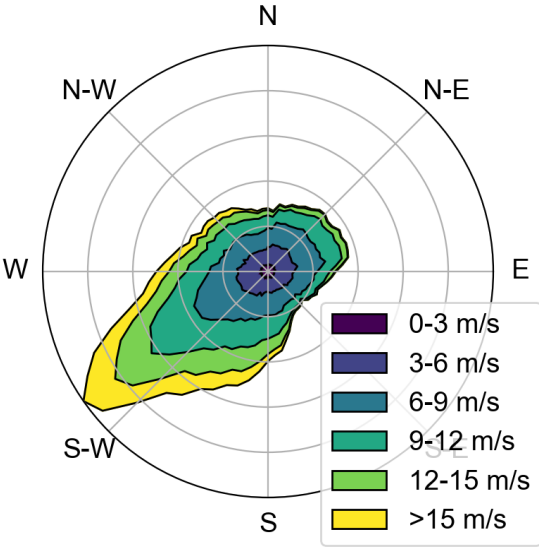
$$D^{eq,rate} = \int \int \int \int \dot{D}^{st}(U_{\infty}, \theta_{\infty}, I, \phi) f(U_{\infty}, \theta_{\infty}, I, \phi) dI d\phi dU_{\infty} d\theta_{\infty}$$

$$D^{eq,rate} = \sum_{i=1}^N \sum_{j=1}^M \sum_{k=1}^P \sum_{l=1}^Q \dot{D}^{st}(U_{\infty,i}, \theta_{\infty,j}, I_k, \phi_l) f(U_{\infty,i}, \theta_{\infty,j}, I_k, \phi_l) \Delta I \Delta \phi \Delta U_{\infty} \Delta \theta_{\infty}$$

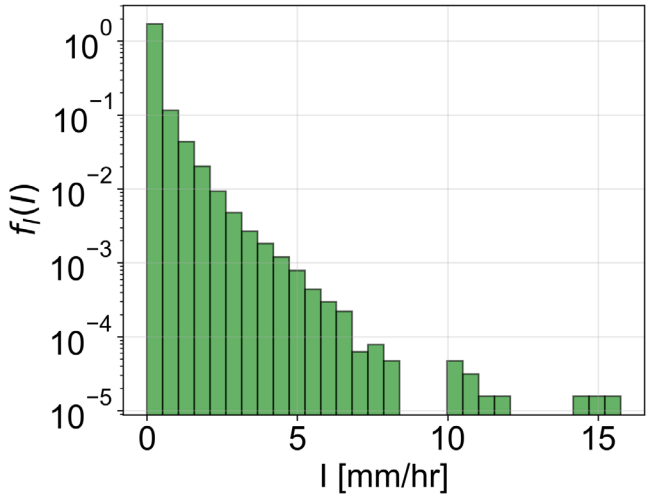
$$D^{eq,rate} = \sum_{i=1}^N \sum_{j=1}^M \sum_{k=1}^P \dot{D}^{st}(U_{\infty,i}, \theta_{\infty,j}, I_k, \phi(I_k)) f(I_k | U_{\infty,i}, \theta_{\infty,j}) \Delta I \Delta U_{\infty} \theta_{\infty}$$

- U_{∞} : freestream wind speed
- θ_{∞} : freestream wind direction
- I : rain intensity
- ϕ : droplet size

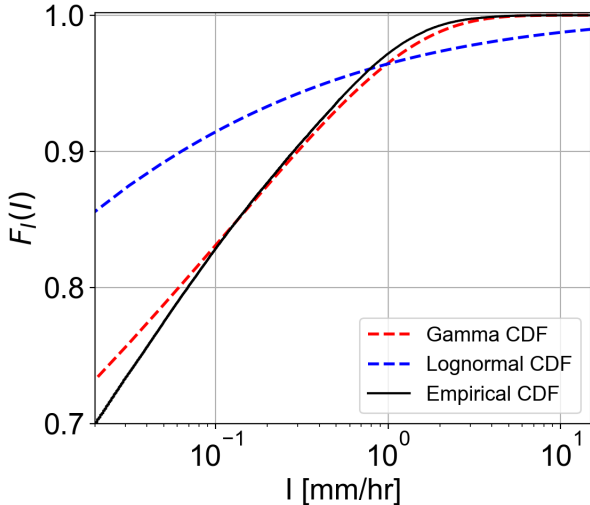
Site conditions



Wind rose from ERA5 reanalysis data² (1997-2022) at the specific site.

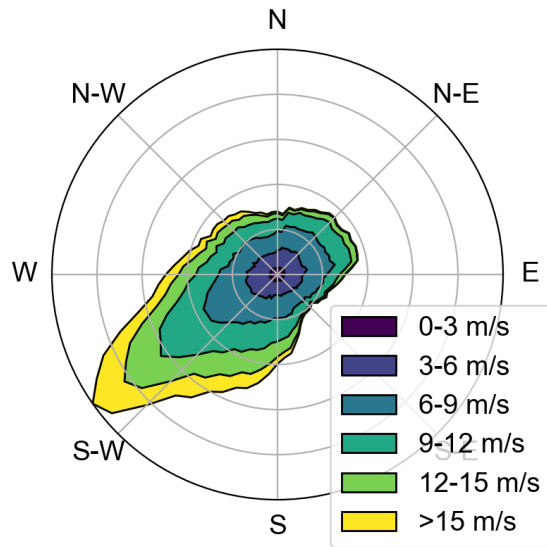


Marginal distribution of rain intensity from ERA5 reanalysis data².

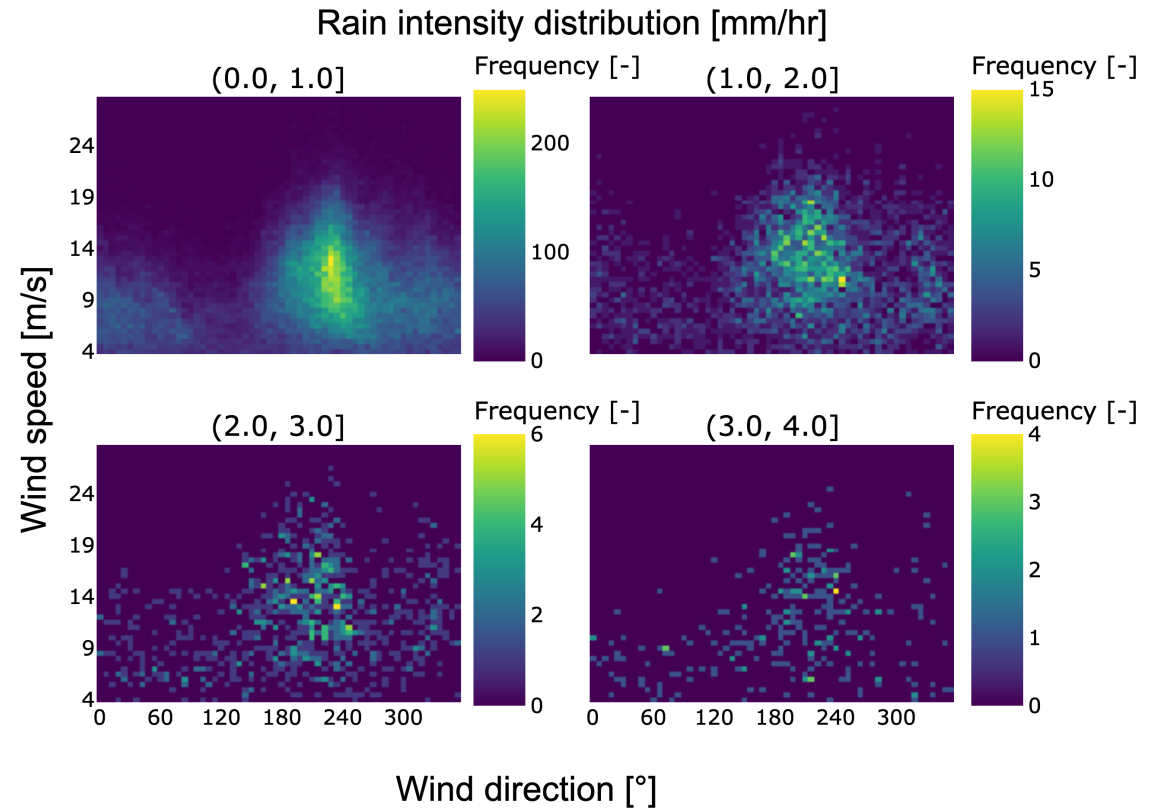


Empirical cumulative density function (CDF) of rain intensity from ERA5 reanalysis data², Together with a fitted Gamma and Lognormal CDF.

Site conditions

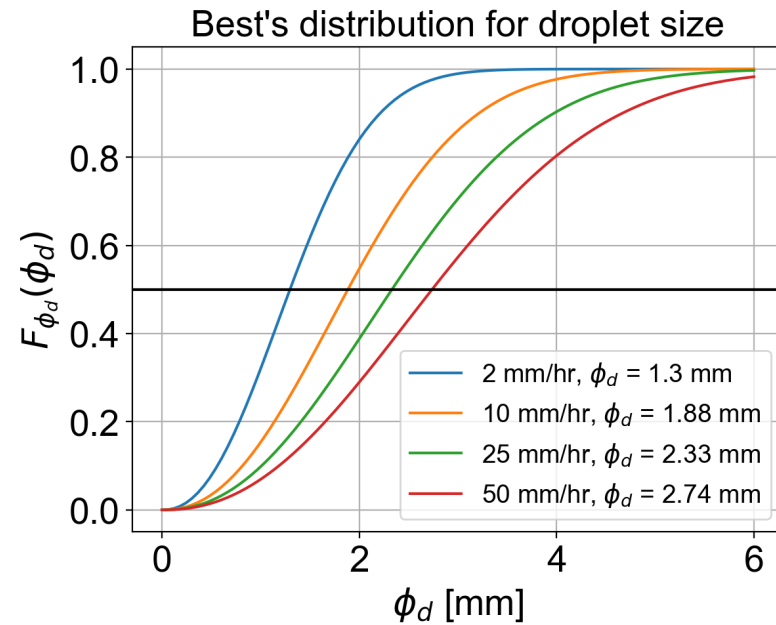


Wind rose from ERA5 reanalysis data² (1997-2022) at the specific site.

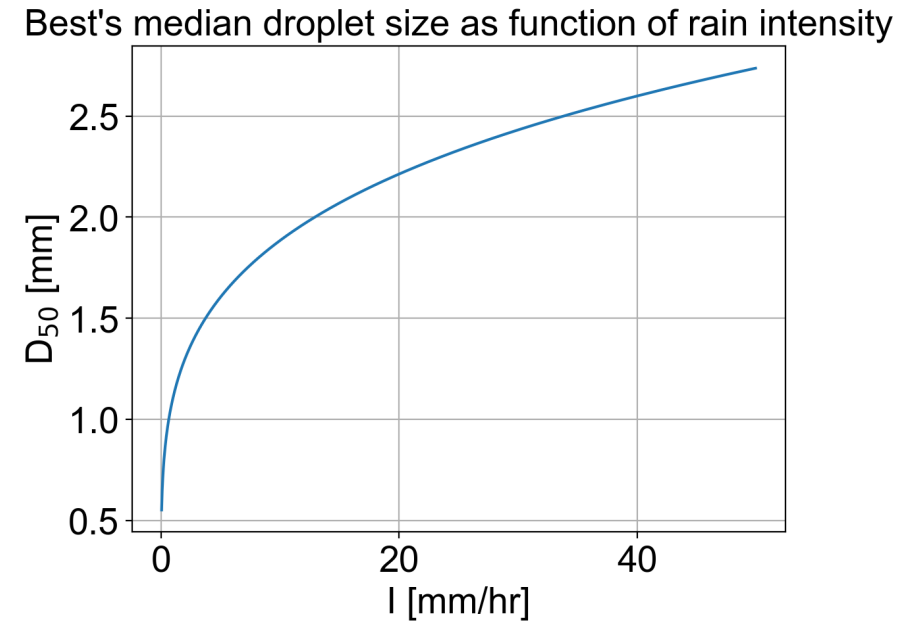


Joint distribution of rain intensity with respect to wind speed and wind direction from ERA5 reanalysis data².

Site conditions

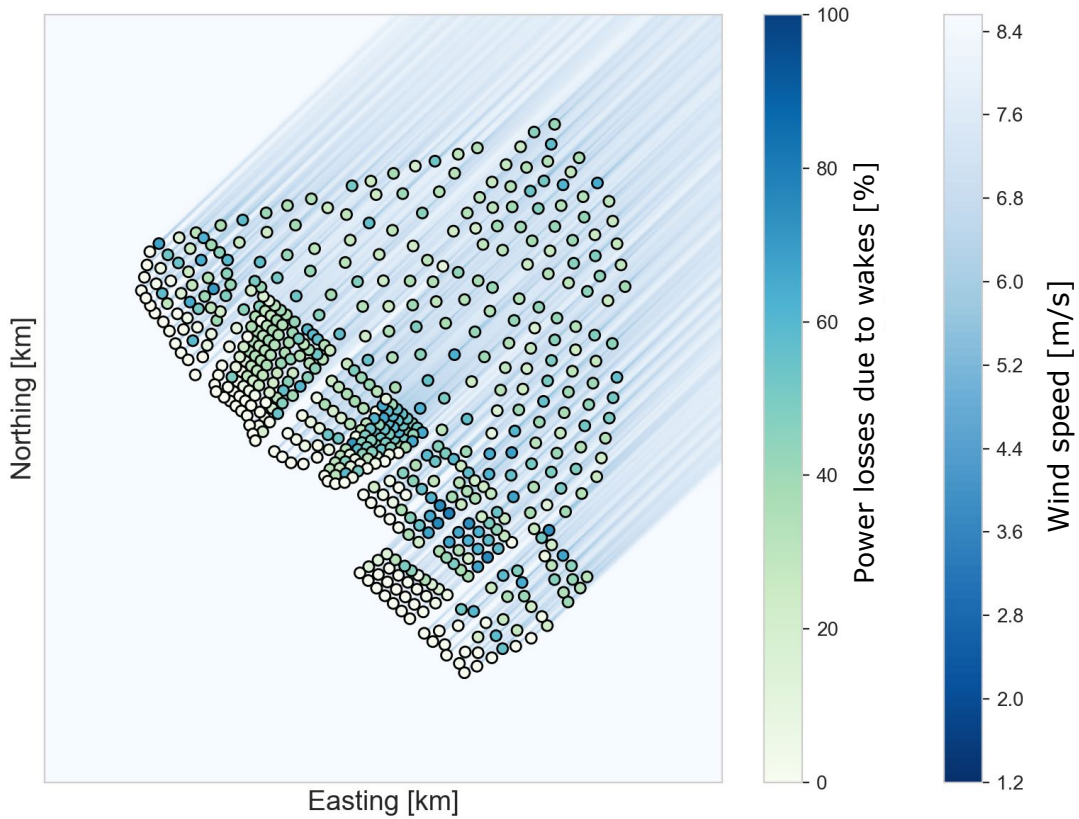


Best's droplet size distribution³ for different rain intensities.



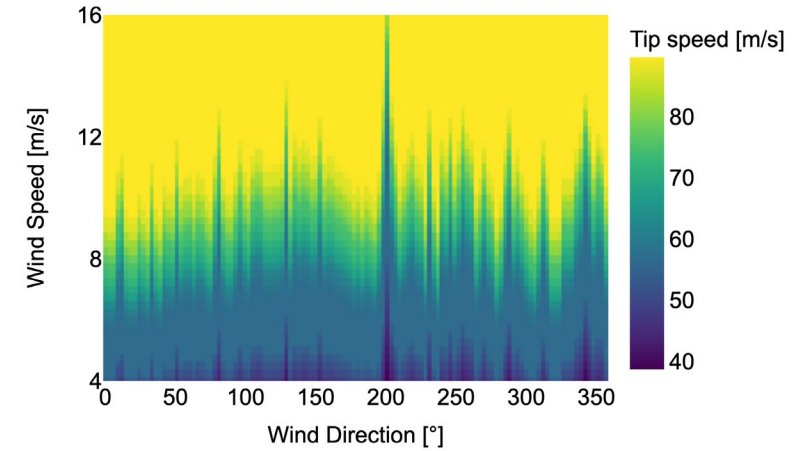
Best's median droplet size distribution³ as function of rain intensity.

Wind farm model

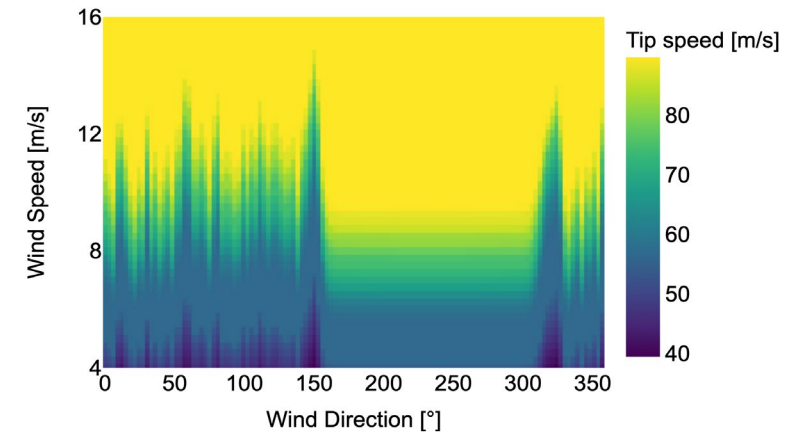


Example of a wake calculation applied on the case study wind cluster using the TurbOPark model with Gaussian wake profile⁴. This calculation is performed for each wind speed and wind direction bin.

Centrally located →



Peripherally located →



Joint distribution of blade tip speed in [m/s] for wind speed bins of 0.25 m/s and wind direction bins of 3°.

Damage model

Springer⁵ model:

$$V_{tg} = 9.65 - 10.3e^{-0.6\phi_d}$$

$$\bar{q} = 530.5 \frac{I}{V_{tg}\phi_d^3}$$

$$D^{st}(I, \phi_d, \Omega_r(U_\infty, \theta_\infty)) = \frac{\bar{q}V_{imp}\beta_d}{8.9 \cdot \frac{S^{5.7}}{\phi_d^2} \cdot p_{wh}}$$

$$V_{imp} = V_{blade} + V_{tg}$$

$$V_{blade} = \Omega_r \times r = f(\hat{P}_{act}(U_\infty, \theta_\infty))$$

- \bar{q} : Number of rain droplets per unit volume
- V_{imp} : Impact velocity of the rain droplet [m/s]
- β_d : Impingement efficiency [-]
- S : Erosive strength of the material [MPa]
- p_{wh} : Waterhammer pressure [MPa]
- V_{tg} : Terminal velocity of the rain droplet [m/s]
- V_{blade} : Wind turbine blade tip speed [m/s]
- Ω_r : Rotor speed [rad/s]
- r : Blade radius [m]
- \hat{P}_{act} : Expected power from wake simulation [MW]

Damage model

Springer⁵ model:

$$V_{tg} = 9.65 - 10.3e^{-0.6\phi_d}$$

$$\bar{q} = 530.5 \frac{I}{V_{tg} \phi_d^3}$$

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$$V_{imp} = V_{blade} + V_{tg}$$

$$V_{blade} = \Omega_r \times r = f(\hat{P}_{act}(U_\infty, \theta_\infty))$$

$$S = \frac{4\sigma_u(m-1)}{1-2\nu}$$

$$\beta_d = 1 - e^{-15\phi_d}$$

$$p_{wh} = \frac{\rho_w c_w V_{imp}}{1 + \frac{\rho_w c_w}{\rho_s c_s}}$$

- \bar{q} : Number of rain droplets per unit volume
- V_{imp} : Impact velocity of the rain droplet [m/s]
- β_d : Impingement efficiency [-]
- S : Erosive strength of the material [MPa]
- p_{wh} : Waterhammer pressure [MPa]
- σ_u : Ultimate tensile strength of material [MPa]
- m : Wohler's slope [-]
- ν : Poisson's ratio of coating material [-]
- ρ_w, ρ_s : Density of water and coating material [kg/m³]
- c_w, c_s : Speed of sound of water and coating material [m/s]

Damage model

Springer⁵ model:

$$V_{tg} = 9.65 - 10.3e^{-0.6\phi_d}$$

$$\bar{q} = 530.5 \frac{I}{V_{tg} \phi_d^3}$$

$$D^{st}(I, \phi_d, \Omega_r(U_\infty, \theta_\infty)) = \frac{\bar{q} V_{imp} \beta_d}{8.9 \frac{S^{5.7}}{\phi_d^2} \cdot \frac{p_{wh}}{p_{wh}}}$$

$$V_{imp} = V_{blade} + V_{tg}$$

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$$S = \frac{4\sigma_u(m-1)}{1-2\nu}$$

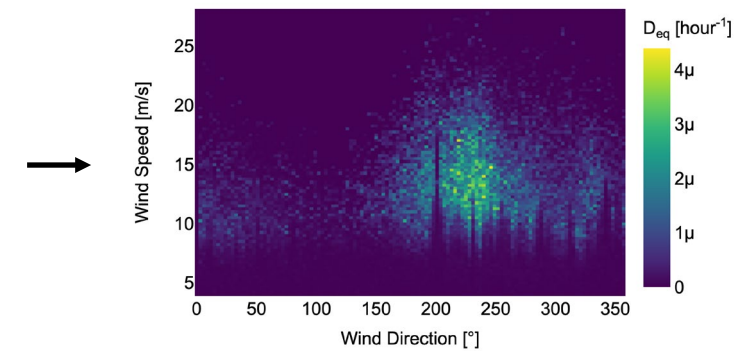
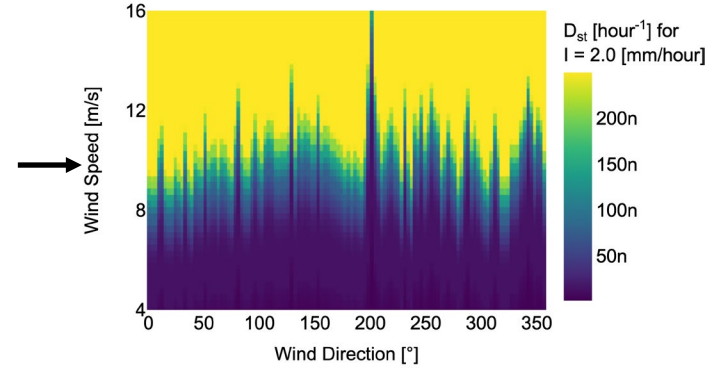
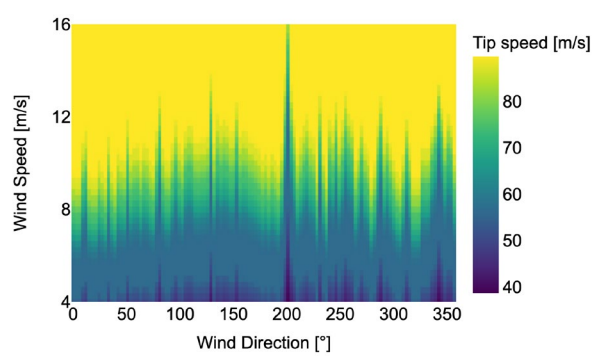
$$\beta_d = 1 - e^{-15\phi_d}$$

$$p_{wh} = \frac{\rho_w c_w V_{imp}}{1 + \frac{\rho_w c_w}{\rho_s c_s}}$$

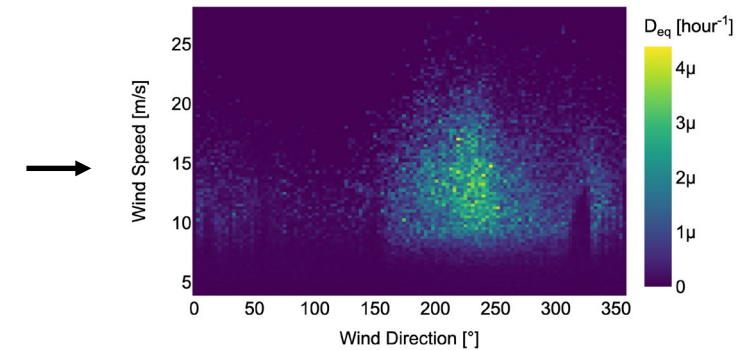
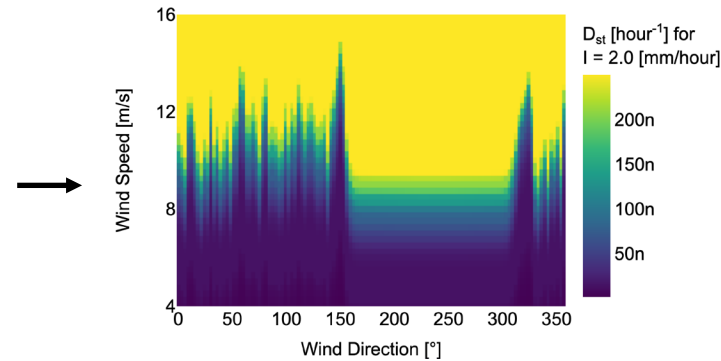
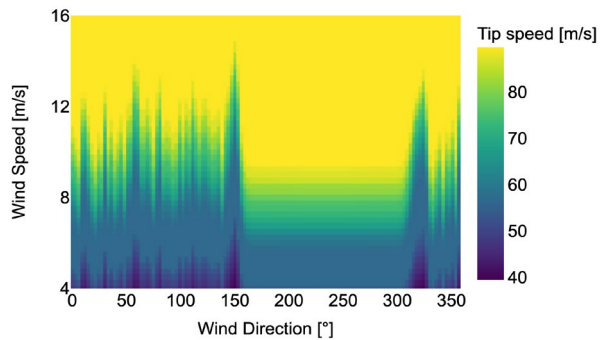
- \bar{q} : Number of rain droplets per unit volume
- V_{imp} : Impact velocity of the rain droplet [m/s]
- β_d : Impingement efficiency [-]
- S : Erosive strength of the material [MPa]
- p_{wh} : Waterhammer pressure [MPa]
- Coating properties taken from Verma et al. (2021) [1]

Results

Centrally located



Peripherally located



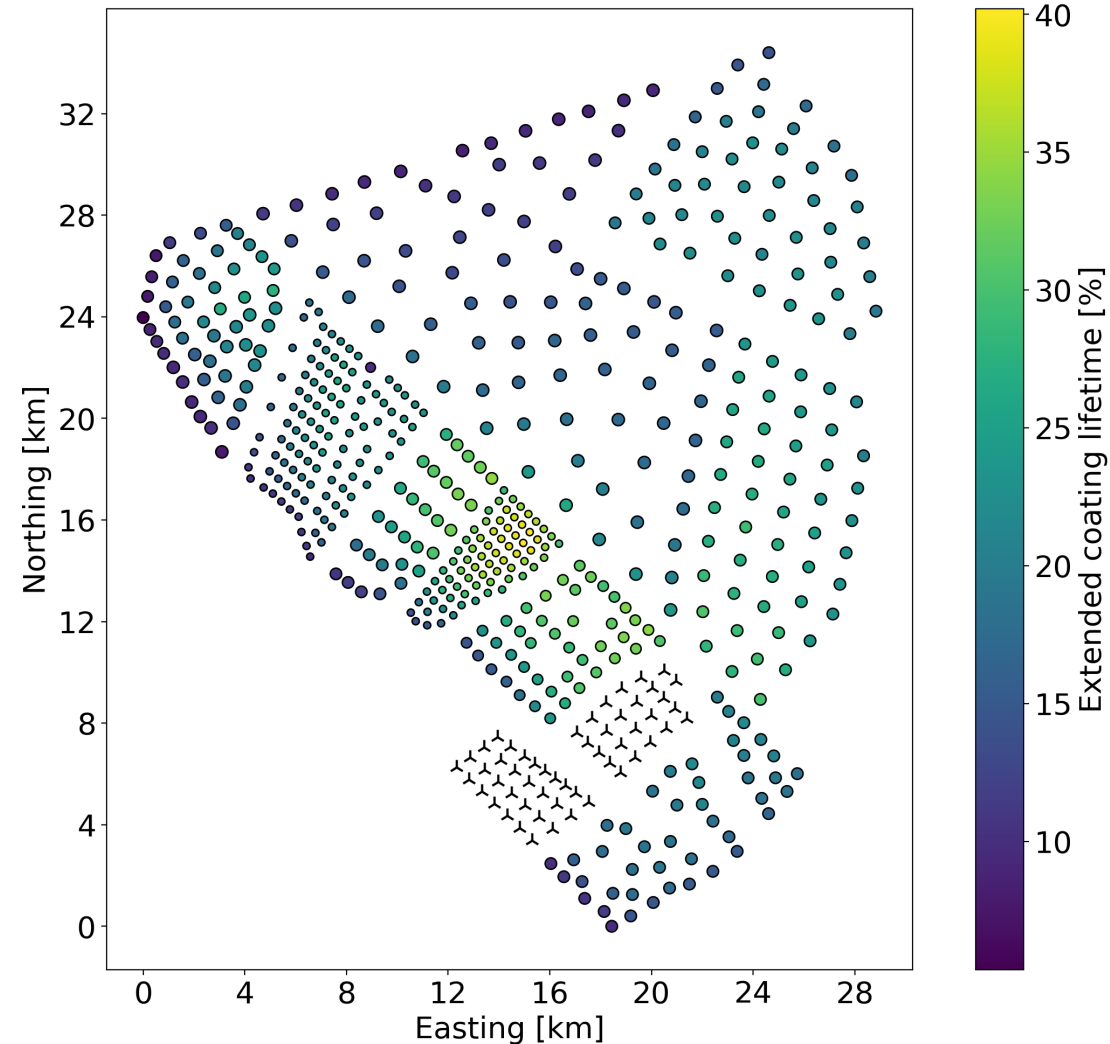
Joint distribution of blade tip speed in [m/s] for wind speed bins of 0.25 m/s and wind direction bins of 3°.

Joint distribution of short-term damage in [hour⁻¹] for wind speed bins of 0.25 m/s and wind direction bins of 3°.

Joint distribution of equivalent damage in [hour⁻¹] for wind speed bins of 0.25 m/s and wind direction bins of 3°.

Results

- Coating lifetimes can be extended ranging from 5% to 40% for densely packed wind farms.
- Turbines predominantly positioned upstream are found to have the shortest coating lifetime.
- Coating lifetime increases can vary between different turbine manufacturers due to different rotor speed curves.



Conclusion

- The effect of rain-induced leading-edge erosion on wind turbine blades using a physics-based framework is presented.
- Wind and rain statistics are derived from ERA5 data².
- Wake effects are modeled through the TurbOPark model with Gaussian wake profile⁴.
- Springer⁵ fatigue model is applied to calculate the short-term damage.
- Results show that coating lifetime variability across the wind farms can be as high as 35%.
- Turbines predominantly positioned upstream are found to have the shortest coating lifetime.

Acknowledgements

- The Norwegian Directorate for Higher Education and Skills (HK-dir) through the NUWind project (project number UTF-2021/10157)
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References

¹Verma A, Jiang Z, Ren Z, et al. 2021 *Wind Energy* **24** 1315-1455 ISSN 0960-1481

²Hersbach H 2020 *Quarterly Journal of the Royal Meteorological Society* **146** 1999-2049 ISSN 1477-870X

³Best A C 1950 *Quarterly Journal of the Royal Meteorological Society* **76** 16-36 ISSN 1477-870X

⁴Pedersen J G, Svensson E, Poulsen L and Nygaard N G 2022 *Journal of physics: Conference Series* **2265** 022063

⁵Springer G S 1976 *Erosion by liquid impact*

Thank you for your attention

