



An improved coupled frequency domain model for FOWT Gijs Bouman 17-01-2024





Introduction (and a question)

How far is floating wind?





How far is floating wind?







- Optimization and push towards commercial phase results in many concepts in:
 - Floaters (type, size, material)
 - Turbines (size, type, blade pitch control)
 - Mooring systems (type, steel/synthetic)
 - Environments









Sources: BW Ideol

Principle power

SBM

Hexicon



- In commercial phase, still work remaining to size designs for:
 - Environmental conditions (also within farm)
 - Water depth
 - Turbine size





- Parametric design
- Design space screening in frequency domain
- Governing criteria found:
 - Platform tilt in operational sea (wind-dominated)
 - RNA accelerations in survival case (wave-dominated, parked rotor)



	MPM RNA accel. [m/s^2] Survival	MPM pitch angle [deg] Operational
Frequency domain	+2.74	-3.9



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Time domain/basin	+2.82	-5.0



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- Validation in time domain and basin test
- Missing dynamics from rotor and controller!



	MPM RNA accel. [m/s^2] Survival	MPM pitch angle [deg] Operational	Aerodynamic modelling
Frequency domain	+2.74	-3.9	Constant force
Time domain/basin	+2.82	-5.0	BEM model, blade pitch controller



• ...an efficient evaluation tool

• ...to resolve the coupled aero-hydro-servodynamic response

• ...the floater motion spectra

• ...mooring line tension spectra





Methodology ____

RAFT: Response Amplitudes of Floating Turbines

- Published 2022 by NREL
- Open-source toolbox, available on GitHub repository
- Idea: find coupled system mass, stiffness and damping for use in frequency domain
- Aerodynamic added mass and damping found from linearization

Source: Matthew Hall et al 2022 J. Phys.: Conf. Ser. 2265 042020

 The Science of Making Torque from Wind (TORQUE 2022)
 IOP Publishing

 Journal of Physics: Conference Series
 2265 (2022) 042020
 doi:10.1088/1742-6596/2265/4/042020

An Open-Source Frequency-Domain Model for Floating Wind Turbine Design Optimization

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Abstract. A new frequency-domain dynamics model has been developed that uses opensource components to efficiently represent a complete floating wind turbine system. The model, called RAFT (Response Amplitudes of Floating Turbines), incorporate quasi-static mooring reactions, strip-theory and potential-flow hydrodynamics, blade-element-momentum acodynamics, and linear turbine control. The formulation is compatible with a wide variety of support structure configurations and no manual or time-domain preprocessing steps are required, making RAFT very practical in design and optimization workflows. The model is applied to three reference floating wind turbine designs and its predictions are compared with results from time-domain OpenFAST simulations. There is good agreement in mean offsets as well the statistics and spectra of the dynamic response, verfying RAFT's general suitability for floating wind analysis. Follow-on work will include verification of potential-flow and turbine-control features and application to optimization problems.

1. Introduction

Frequency-domain models are an important tool for designing floating structures because they



RAFT: Response Amplitudes of Floating Turbines

- Overall, good results obtained when compared to time-domain
- Mismatch in pitch and mooring tension response for semi-submersible (15MW VolturnUS-S)
- Differences attributed to:
 - Hydrodynamic modelling (strip theory)
 - Mooring system modelling (quasi static)
- Objective: improve pitch response prediction by:
 - Improving blade pitch control implementation
 - Coupling RAFT to MARIN wave diffraction code





Blade pitch control: velocity feedback



- PI controller, with setpoint on RPM
- Negative slope in thrust curve above rated wind
- Negative floater pitch damping for aboverated wind speeds
- Solution: nacelle velocity feedback
- Implemented with lowpass filter





DIFFRAC



Hydrodynamic look-up table (RAO)

- Most expensive step
- Done for every geometry





All linearization done around mean state





Done for each:

- Turbine
- Blade pitch controller
- Wind condition





Static mooring system





Iterations needed:

- Account for rotor tilt
- Mooring stiffness linearized at offset





RAFT used to evaluate aerodynamic mass/damping matrices around mean

Includes blade pitch controller!









Viscous damping linearized for sea state





Combined system subjected to wave excitation

"RAFT extended"





Results

Use case



- VolturnUS-S platform
 - 15MW
 - Semi-submersible
 - Catenary mooring
- Natural frequencies
 - Surge: 0.007 Hz (142.9 s)
 - Pitch: 0.036 Hz (27.8 s)
- ROSCO controller
 - Nacelle acceleration feedback to actively dampen floater pitch motion



Source: Allen, Christopher, Anthony Viselli, Habib Dagher, Andrew Goupee, Evan Gaertner, Nikhar Abbas, Matthew Hall, and Garrett Barter. Definition of the UMaine VolturnUS-S Reference Platform Developed for the IEA Wind 15-Megawatt Offshore Reference Wind Turbine. Golden, CO: National Renewable Energy Laboratory. NREL/TP-5000-76773. https://www.nrel.gov/docs/fy20osti/76773.pdf.



- 6.0 m Hs =
- 12.0 s Tp = •
- u_{wind} = 8 m/s •
- Constant wind

0.10

4

2

0

0.05

pitch (deg²/Hz)





- Hs = 6.0 m
- Tp = 12.0 s
- *u_{wind}* = 8 m/s
- Constant wind





- Hs = 6.0 m
- Tp = 12.0 s
- *u_{wind}* = 8 m/s
- Constant wind





- Hs = 1.84 m
- Tp = 7.44 s
- *u_{wind}* = 12.0 m/s
- Steady wind
- Strong blade pitch actuation seen near natural frequencies





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Deep dive



• So, what happens here?

- Rotor and blade pitch controller create a response that depends on the platform motions
 - Acceleration-dependent forces: added <u>mass</u>
 - Velocity-dependent forces: <u>damping</u>





- For displacement in x-direction
- Total system mass: 2e7 kg





- For displacement in x-direction
- Hydrodynamic added mass dominates over aerodynamic added mass





- For displacement in x-direction
- Below rated: small change made by controller feedback





- For displacement in x-direction
- Above rated: large change made by controller feedback, strong dependence on wind speed and frequency!

Pitch mode



- Aerodynamic effects occur at hub height: 150m
- Large effect on pitch mode due to large arm
- Platform pitch inertia: 4.2e10 $kg * m^2$



- Aerodynamic added mass dominant in pitch, depends on:
 - Wind speed
 - Frequency
 - Blade pitch controller strategy
- Seen in <u>system</u> natural period $\omega_n = \sqrt{k/m}$
 - Also for surge, but less extreme



Image source: Carlos Eduardo S. Souza, Erin E. Bachynski,

Changes in surge and pitch decay periods of floating wind turbines for varying wind speed,

Ocean Engineering, Volume 180, 2019, Pages 223-237, ISSN 0029-8018, https://doi.org/10.1016/j.oceaneng.2019.02.075.



Aero-servodynamic damping



• For displacement in x-direction

Aero-servodynamic damping



- For displacement in x-direction
- Aerodynamic damping dominates over hydrodynamic damping at lower frequencies

Aero-servodynamic damping



- Large dependence seen on:
 - Control strategy
 - Wind speed
 - Frequency

Pitch mode



- Aerodynamic effects occur at hub height: 150m
- Large effect on pitch mode due to large arm







Conclusions and outlook



- Good match in motions in wave-frequent range
- Effects taken into account:
 - Aerodynamics
 - Hydrodynamics
 - □ Mooring system dynamics → Mooring line tension
 - $\Box \text{ Turbulent wind excitation } \rightarrow \text{Low-frequent motions}$
 - Controller (PI with feedback)
 - Structural flexibility



Current implementation



Linearizing the mooring system



Mooring line dynamics

- Linearize inertia and drag forces
- Add to (frequency-dependent) mass, stiffness, damping matrices



Adding turbulent wind excitation





Turbulent wind excitation

 RAFT describes transfer function H_{UF} to find the turbulent aerodynamic excitation force:

 $\hat{f}_{aero}(\omega) = H_{UF}(\omega)U(\omega)$

- Wind and wave spectra disconnected → superimpose
- Introduce $\hat{f}_{aero}(\omega)$ as an external, right-hand-side-force



- Parametric design
- Coupled motion spectra resolved → find correct MPM platform pitch angle
- Allows to evaluate hundreds of designs in a matter of hours-days.







- Resolve FOWT motions and mooring line tensions in early stage
 - Design screening
 - Optimization of floater geometry
 - Optimization of blade pitch controller
 - Response-based scaling for turbine and/or environment
- Resolve FOWT loads
- Spectra: both for ultimate (MPM) and fatigue evaluation!
- It may not be possible to linearize different control strategies

Thank you!





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RAFT



• Linearize...

- Thrust
- Torque
- Rotor dynamics
- Controller action
- Rewrite into...
 - Added mass
 - Damping
 - Excitation force

 $a_{aero}(\omega)$ $b_{aero}(\omega)$ $\hat{f}_{aero}(\omega)$



 $T = \overline{T} + T_U \Delta (U - \dot{x}) + T_\Omega \Delta \Omega + T_\beta \Delta \beta$

Aerodynamic linearization - thrust



















Zeroth and second moment of response spectrum:

$$m_0 = \int S_w(\omega) * RAO(\omega)^2 d\omega$$
$$m_2 = \int S_w(\omega) * RAO(\omega)^2 * \omega^2 d\omega$$

Zero crossing period:

$$T_Z = 2\pi \sqrt{m_0/m_2}$$

Root-mean-square of response:

$$RMS = \sqrt{m_0}$$

Most probable maximum:

$$MPM = \sqrt{2 \ln N} * RMS$$
$$N = T_{eval}/T_z$$