Using Machine Learning Methods to find a Representative and Conservative Set of Conditions for Fatigue Analysis of Offshore Wind Turbines

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# Outline

- Motivation
- Algorithm
  - LASSO
  - Gradient Descent
  - Clustering
- Metocean Data
- Results
- Conclusion

## **Independent "Dimensions" of Fatigue**

Aerodynamics: 2-D+ (Wind speed, wind direction, [turbulence])

Sea-surface: 3-D+ (Per spectrum: Wave height, wave period, wave direction)

Subsurface: 2-D (Current speed, current direction)

Anything else?

Image Credit: Vryhof (C. Mochet)

# Estimation of Fatigue Life of an Offshore Structure & Mooring

DNV-OS-J103, DNV-OS-E301

(most accurate and computationally intensive procedure)

#### 1. Numerous specific environmental conditions (load cases)

- 1. Wave direction: 8-12 bins
- 2. Wave height/period: 10-50 bins
- 3. Wind speed/direction: ? Bins
- 4. Current speed/direction: ? bins
- 2. Time-domain modelling tool
- 3. Rainflow counting method to assess range of "sensor" (e.g., tension in mooring line, principal stress at specific location)
- 4. Estimate damage from each load case using properties of material (e.g., S-N, T-N curve)
- 5. Estimate fatigue life from sum of damage, taking into account the probability of occurrence of each load case during design life of structure

Dowling SD, Socie DF. Simple rainflow counting algorithms. Int J Fatigue 1982;4:31–40. B. Yeter, Y. Garbatov, C. Guedes Soares, Evaluation of fatigue damage model predictions for fixed offshore wind turbine support structures, Intl J. Fatigue, 2016; 87:71-80

## Traditional clustering method (visualized in 2D)



BEGIN: ALGORITHM

# Proposed (Machine Learning-based) Algorithm

- 1. Load p-dimensional set of multi-decadal environmental conditions
  - i. Normalize data to all lie in [0,1].
- 2. Initialize with a "representative" set of M clusters (or bins)
  - i. Modified Maximum Dissimilarity Algorithm (MDA-based) clustering method to associate all observations with closest cluster

     Representative

#### 3. Run time-domain simulations to estimate fatigue damage

- i. OrcaFAST coupled aero-hydromooring simulations
- ii. OrcaFlex: Time domain solver including first and second-order hydrodynamics (from WAMIT) and instantaneous mooring force
- iii. FAST: Open-source BEM tool with linearized structural dynamics
- iv. In-house rainflow counting algorithm





Kanner, S., Yu, B., Aubault, A., Peiffer, A., 2018. Maximum Dissimilarity-Based Algorithm for Discretization of Metocean Data into Clusters of Arbitrary Size and Dimension OMAE2018-77977

# Proposed (Machine Learning-based) Algorithm (cont.)

- 4. Choose a set of predictors to estimate how environmental conditions effect fatigue damage
  - i. Damage =  $H_s + H_s^2 + H_s^3 + T_P + T_P^2 + T_P^3$ , ...,  $H_s \cdot T_P$ ?
- 5. Run regularized linear regression analysis: Least Absolute Shrinkage and Selection Operator (LASSO)
  - i. Come up with a 'constrained' model on how fatigue damage depends on predictors
- 6. Use gradient ascent algorithm to determine direction of maximum damage
  - i. Pick step-size to determine speed of approach to maxima
  - ii. Select clusters that are in 'high-damage' areas and spawn N new clusters that may be more damaging Conservative
  - iii. Keep number of clusters *M* constant by creating (*M*-*N*) new "representative" clusters using MDA-based method.
- 7. Re-cluster all observational data using *M* new clusters.
- 8. Iterate (steps 3-7) to try and find a conservative value of fatigue damage

Conservative

#### Representative

# Step 1-2: Modified Maximum Dissimilarity Based Algorithm



M = 8



### Step 4-5: Least Absolute Shrinkage and Selection Operator (LASSO)

1. Try to find the best fit: 
$$\hat{y}_i = \sum_{i=1}^M \sum_{j=1}^{N_x} x_{i,j} \beta_j = \sum_{j=1}^{N_x} x_i^T \beta$$
  $x_i = H_{s,i}, H_{s,i}^2, H_{s,i}^3, \theta_{w,i}, \theta_{w,i}^2, \theta_{w,i}^3, \dots$ 

2. For a given  $\lambda$  ( $\lambda > 0$ ), LASSO algorithm attempts to solve the problem

 $\min_{\beta,\beta_0} \left( \frac{1}{2N} \sum_{i=1}^{M} (y_i - \beta_0 - x_i^T \beta)^2 + \lambda \sum_{j=1}^{p} |\beta_j| \right)$ Calculated (weighted) damage at *i*<sup>th</sup> observation
Regularization parameter

to penalize 'overfitting'

 $i^{th}$  observation, with  $N_{\chi}$  parameters

(using some linear combination of the p parameters)

#### 3. Use coordinate descent algorithm to determine "relevant" predictors

## **Steps 6: Gradient Ascent & Selection Criteria**

#### 1. Move in the direction of a local maximum:



#### 2. Selection criteria

- i. If weighted damage from cluster is in top quintile and calculated damage is greater than estimated, then set  $\gamma = 0$  and keep it as a good candidate.
- ii. For all other observations, find the distance between the closest observation and the proposed (more-damaging) location
- iii. If the distance is less than a tolerance AND is in the "right" direction, then it is a good candidate.
- iv. Count how many observations are good candidates.
- v. Randomly select bins from lower (1<sup>st</sup>-4<sup>th</sup>) quintiles to remove from candidacy so that at least 20% of bins are removed from each iteration.
- 3. Re-run MDA algorithm to 'top-up' set (keeping number of bins constant)
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Conservative

**Conservative** 

Representative

## Step 7. Use weights to associate observations with damaging clusters

 $d_k = w_i \sqrt{\sum_{i=1}^{P} (\hat{x}_{j,i} - x_{j,k})^2}$ 

 $\overset{30}{\text{Decile of Calculated Damage }} P\hat{u}$ 

100

1. Euclidian distance of k<sup>th</sup> observation to i<sup>th</sup> cluster:

2. Add in weight function, based upon calculated damage:

3. Re-cluster observations to associate observations with "nearest" cluster

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1.2

1.15 1.1 1.05  $\tilde{s}$  1 0.95 0.9 0.85

0.8

20

**Conservative** 

# END: ALGORITHM

### **Metocean Data: Swell Waves**



## **Metocean Data: Wind**



#### Metocean Data: Swell Waves, Bin Dependence

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#### **Results F/A Tower-Base: Damage Dependence on Wind (50 bins)**



### 1-D Regression (Wind-Direction, 50 bins)



### 1-D Regression (Wind-Direction, 150 bins)



## 1-D Regression (Wind-Direction) DEL Results



**Conservative?** 

#### 4-D Regression (Wind Speed+Direction, Wind-Sea Tp+Direction)



## Results, 4-D Regression (Wind Direction, Wind Speed, Wave Direction, Wave Tp)



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**Conservative?** 

### "Quality" Measure as a Proxy for Representativeness



- A machine learning-based algorithm is proposed to try and find the most *representative* and *conservative* set of environmental conditions to estimate fatigue damage on a floating offshore wind turbine.
- While a 1-D linear regression (based on wind-direction) is easily identified, it does not lead to conservative damage estimations.
- A 4-D linear regression (based upon wind and wind-seas) leads to a more wildly behaving fit, but finds better conservativeness.
- The values of *representativeness* and *conservativeness* may be opposed to each other.
- In the future, we hope to improve algorithm to find conservativeness with smaller number of conditions
  - More regularization?
  - Learning rate?



# Questions?

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Stand Stre

WF1

#### Step 7: Re-cluster observations based on new locations



### 4-D Regression, Wind-Sea Dependence



#### **Results F/A: Damage Dependence on Wind-Sea (50 bins)**



### Metocean Data: Wind-Sea Waves



#### Step 5 (cont.) Coordinate descent determines relevant parameters

1. Again, trying to find  $\beta$  such that:

$$\min_{(\beta_0,\beta)\in\mathbb{R}^{p+1}} R_{\lambda}(\beta_0,\beta) = \min_{(\beta_0,\beta)\in\mathbb{R}^{p+1}} \left[ \frac{1}{2N} \sum_{i=1}^N (y_i - \beta_0 - x_i^\top \beta)^2 + \lambda P_{\alpha}(\beta) \right]$$

2. The minimum of the residual:

$$\frac{\partial R_{\lambda}}{\partial \beta_j}|_{\beta=\tilde{\beta}} = -\frac{1}{N} \sum_{i=1}^N x_{ij} (y_i - \tilde{\beta}_o - x_i^\top \tilde{\beta}) + \lambda (1 - \alpha) \beta_j$$

ΔT

3. Update the guess of  $\beta$ :

$$\tilde{\beta}_{j} \leftarrow \frac{S\left(\frac{1}{N}\sum_{i=1}^{N}x_{ij}(y_{i}-\tilde{y}_{i}^{(j)}), \lambda\alpha\right)}{1+\lambda(1-\alpha)} \qquad \tilde{y}_{i}^{(j)} = \tilde{\beta}_{0} + \sum_{i \neq j}x_{i\ell}\tilde{\beta}_{\ell}$$

$$S(z,\gamma) \quad \operatorname{sign}(z)(|z|-\gamma)_{+} = \begin{cases} z-\gamma & \text{if } z > 0 \text{ and } \gamma < |z| \\ z+\gamma & \text{if } z < 0 \text{ and } \gamma < |z| \\ 0 & \text{if } \gamma \ge |z|. \end{cases}$$

Friedman, J., R. Tibshirani, and T. Hastie. Regularization paths for generalized linear models via coordinate descent. Journal of Statistical Software, Vol 33, No. 1, 2010. http://www.jstatsoft.org/v33/i0
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### 4-D Regression, Wind-Sea Dependence



#### **Competing Interests: Representativeness vs Conservativeness**



DEL (MNm)