

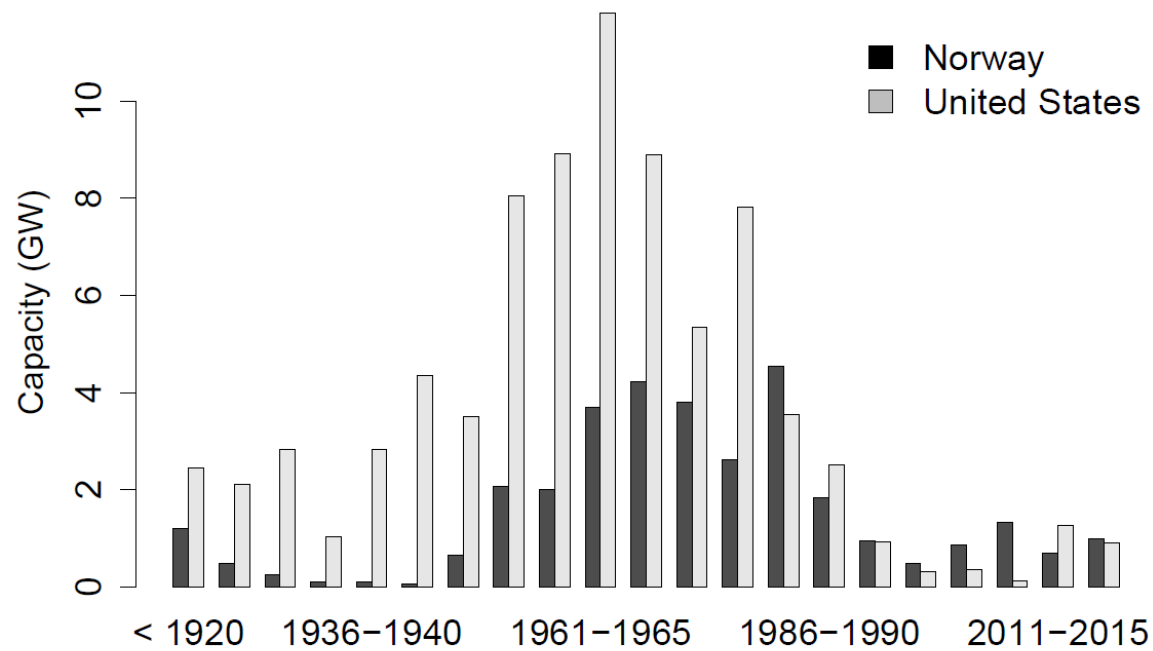
Hierarchical planning for hydropower plant upgrades using semi-analytical policies

Andreas Kleiven¹, Selva Nadarajah², **Stein-Erik Fleten**¹

¹Norwegian University of Science and Technology

²University of Illinois at Chicago

Background



Distribution of hydropower installed capacity by initial operating year

Contributions

- We include short-term operational aspects, provide bounds on the value of production schedules, and obtain semi-analytical investment policies for capacity upgrade
 - Compared to f.ex Bøckman et al (2008) and Andersson et al (2014)
 - Hierarchical planning (Anthony (1965), Dempster et al (1981), Lenstra et al (1984), Bitran and Tirupati (1993))
 - Reoptimization heuristic (Lai et al (2010), Nadarajah and Secomandi (2018))



Refurbish/upgrade

- Large investment cost
- Increased capacity
 - Change in the operational pattern

Wait

Common industry practice

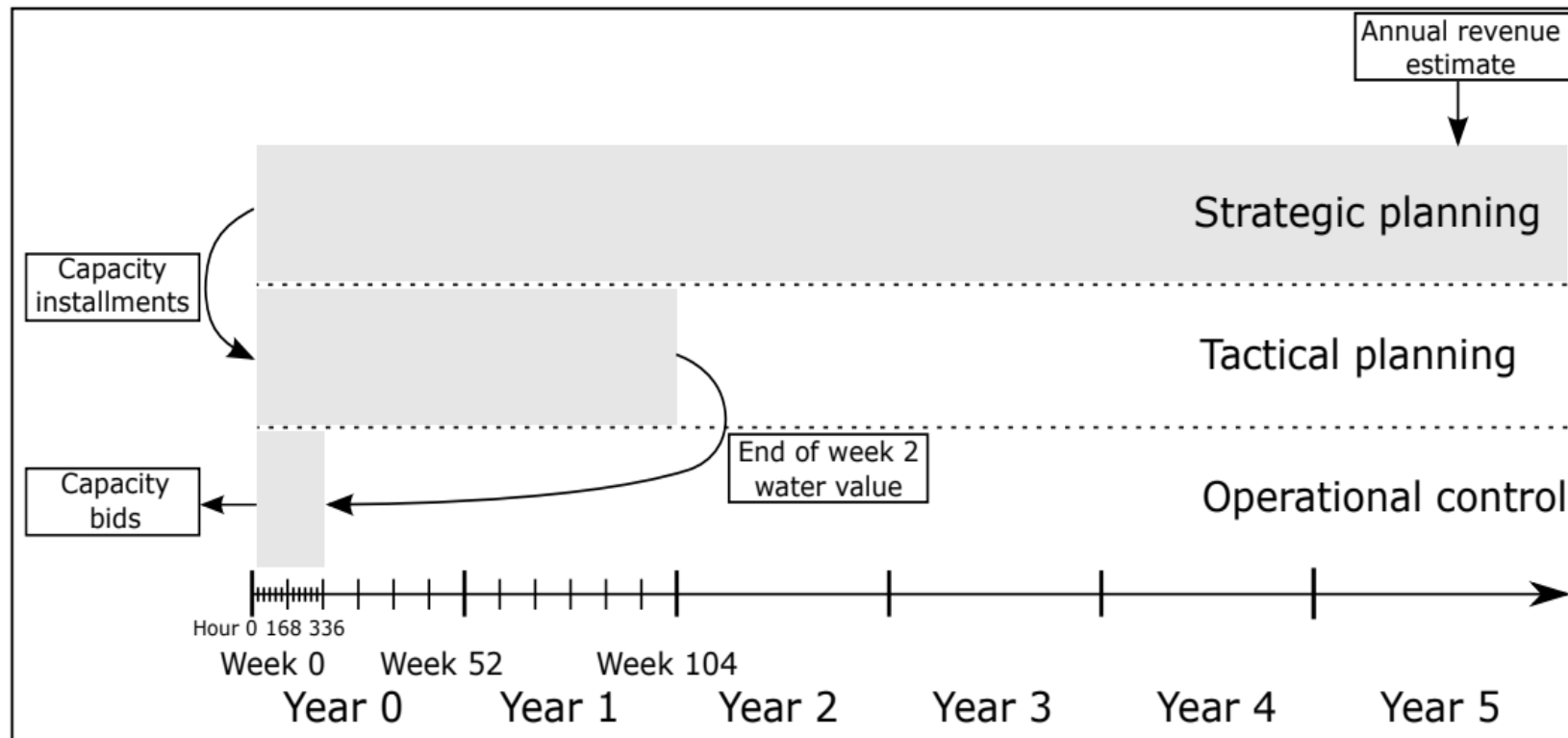
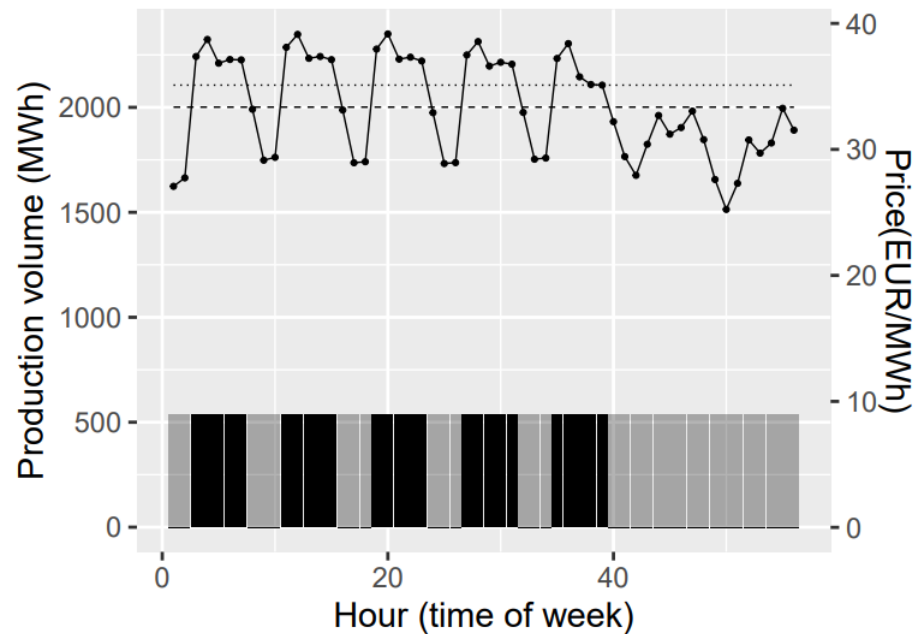


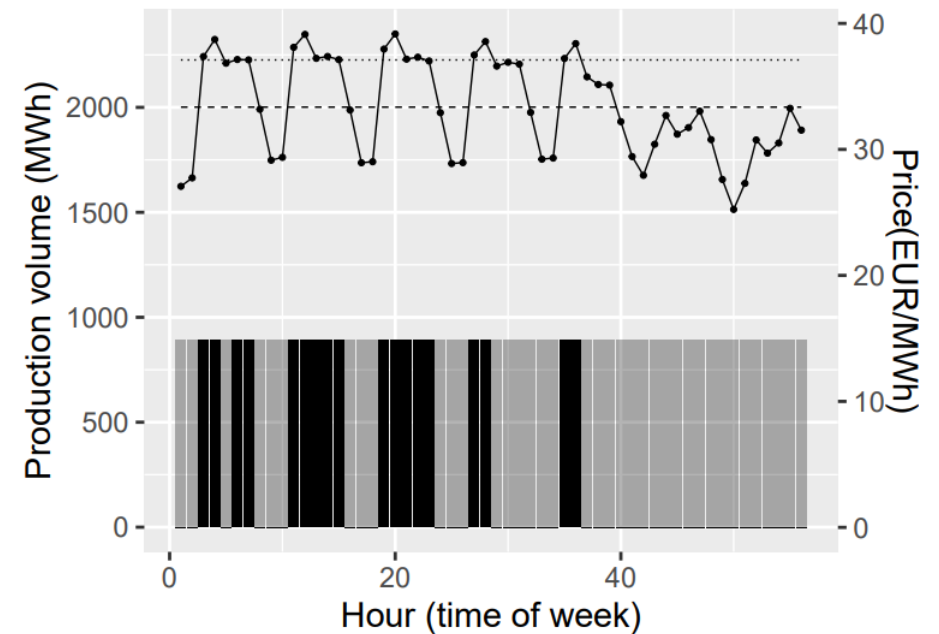
Figure 1: Common industry practice for hydropower planning.

When and how much additional capacity to install?

And how does the decision to install additional capacity depend on assumptions on future short-term price variations?



(a) Low capacity.



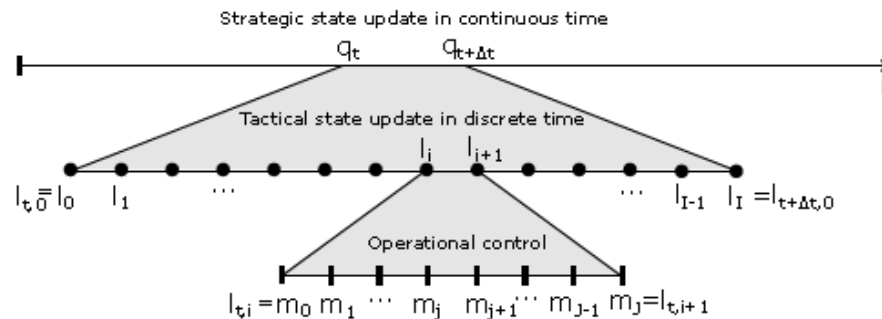
(b) High capacity.

Key assumption

- Strategic decisions (i.e. upgrading) are unaffected by the level of the short-term factors
 - Short term price deviation from the equilibrium level
 - Inflow state
 - Reservoir level
- So only the movement of equilibrium price level affects the value of the investment

Decomposition

- Upper level: Investment
 - Continuous time
 - When (=at what equilibrium price level) and at what size
 - Capacity size Q is the main linking parameter
- Lower level
 - Tactical and operational decisions/values



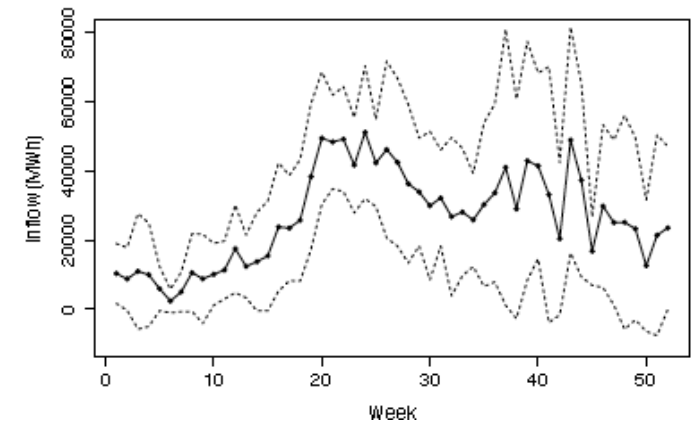
Methods

- Problem is cast as a Markov decision process
- Model-based reinforcement learning
 - Stochastic dynamic programming for the tactical-operational problem
 - Reoptimization heuristic (RH) for obtaining tactical-operational policies for different capacity upgrade alternatives
- Tactical-operational value as a function of capacity
 - Solve the investment timing problem as a joint capacity choice and real options problem

Instances

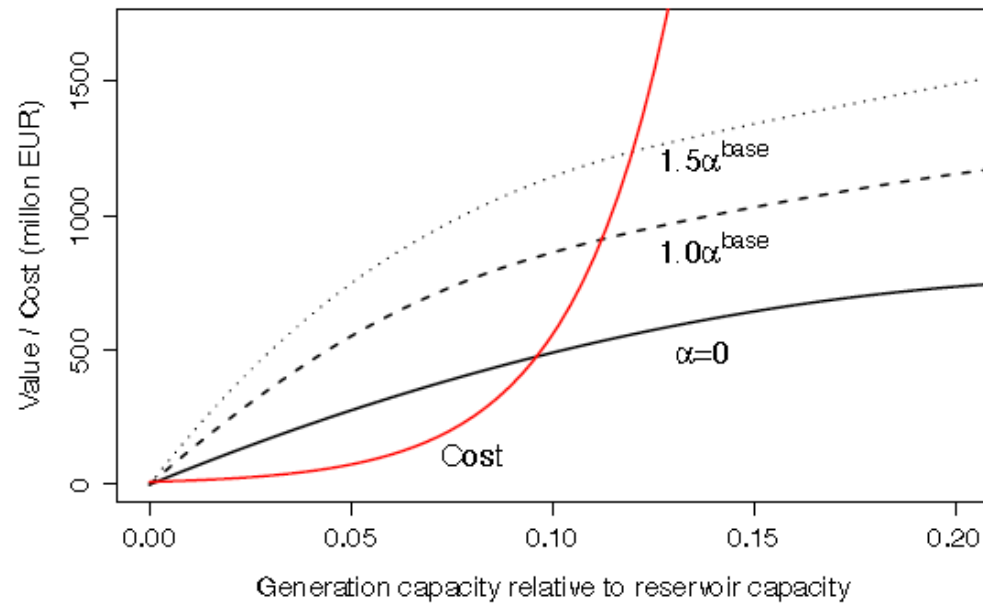
- Reservoir capacity 335 GWh
- Initial generation capacity 166 MW (8.3%/week)
- Average annual inflow 1354 GWh/year (~4x reservoir)
- Spot prices 2013-2018
- Start level equilibrium price 30 €/MWh, drift 0.012, volatility 0.146

| Instance | Description | Spot price data |
|-----------------------------------|---------------------------|----------------------------|
| $\alpha_{t,i} = 0$ | Weekly decision periods | Zero variations |
| $\alpha_{t,i} = 1.0\alpha^{base}$ | 3-hourly decision periods | Variations in 2013-2018 |
| $\alpha_{t,i} = 1.5\alpha^{base}$ | 3-hourly decision periods | 1.5 × variations 2013-2018 |

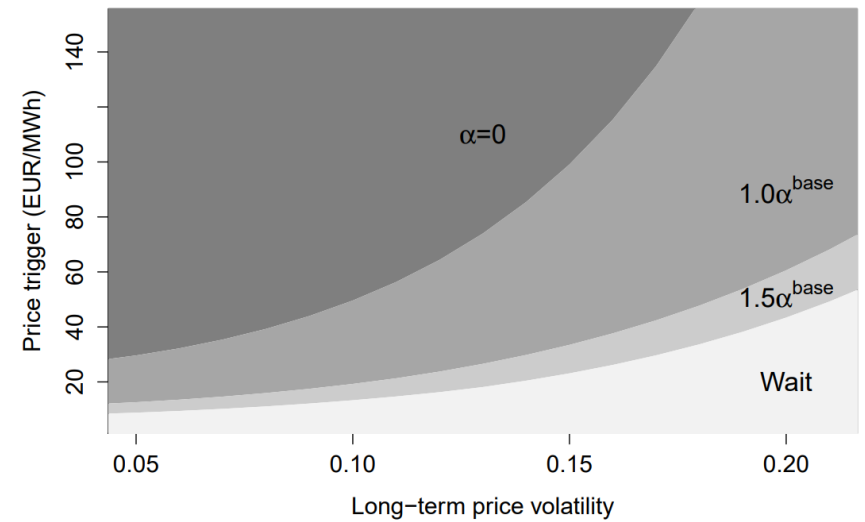
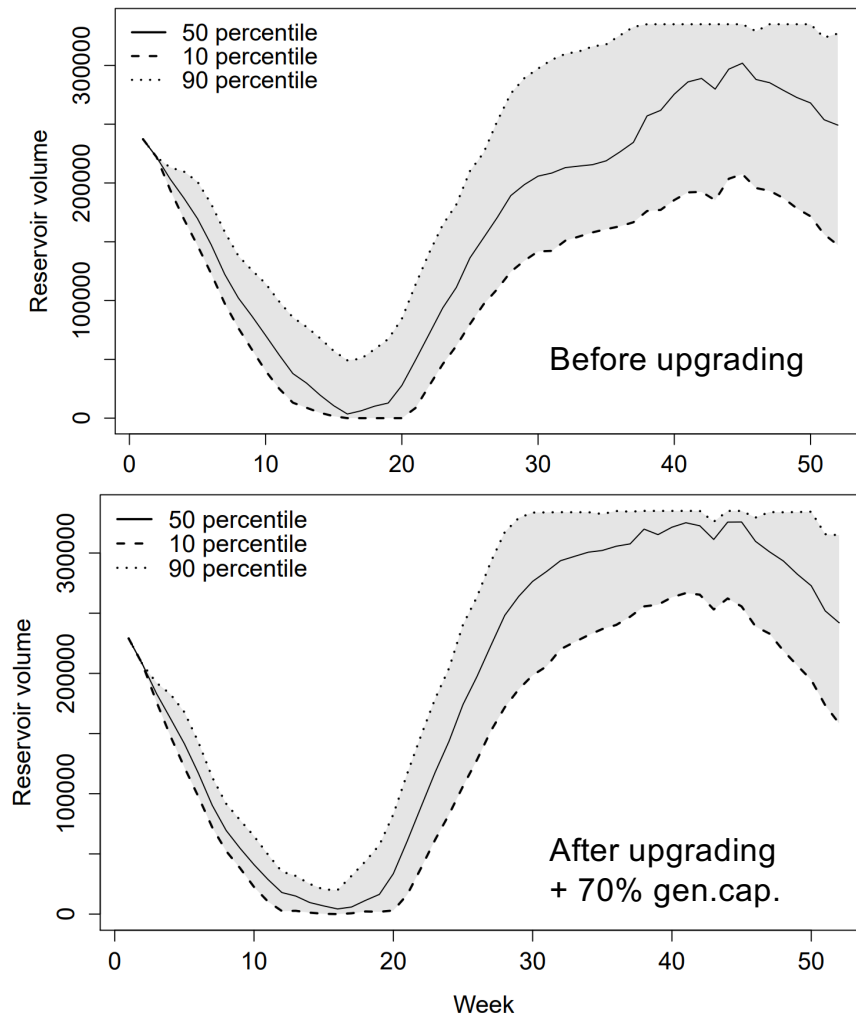


Results

- Value of additional capacity
 - Given an equilibrium price of 32 €/MWh

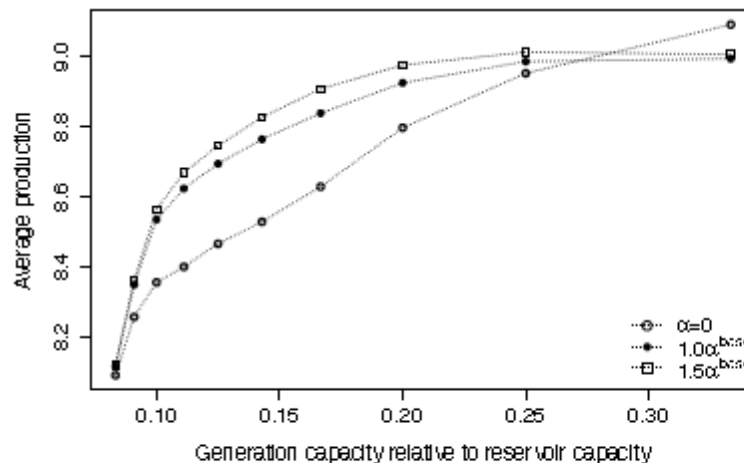


Results

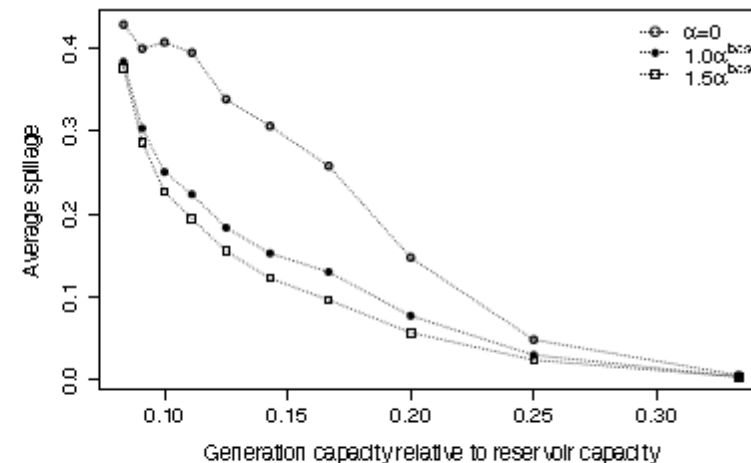


Results: Generation and spill

- Total average generation and spill as a function of capacity alternatives.
- The curves are plotted relative to the maximum reservoir capacity.



(a) Average generation.



(b) Average spill

- Most of the value of upgrading comes from the ability to exploit within-week price variations

Scalability

- Multiple reservoirs
 - Affects the tactical-operational subproblem
 - Reservoir levels are not discretized
 - Have tested multireservoir cases
 - Reoptimization heuristic is scalable
- Multiple upgrade dimensions
 - Flex increasing generation capacity in several plants
 - Should be doable
- Multiple long-term uncertainty factors
 - No. Requires a complete redesign of the framework

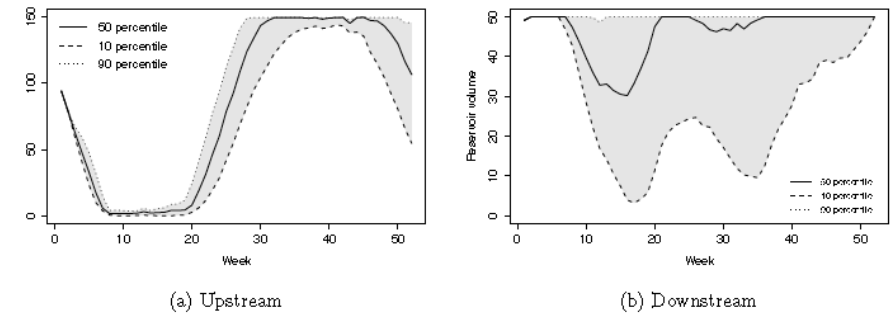


Figure 24: Reservoir management with high capacity and $\alpha - \alpha_{base}$.

Results

- The investment policy and value under different assumptions regarding within week price variations: 0, 1 and 1.5 times the variation the most recent 5 years. Values are reported in million €
- Additional capacity installments are reported as a percentage of current capacity

| | | $\alpha = 0$ | $1.0\alpha^{\text{base}}$ | $1.5\alpha^{\text{base}}$ |
|-----------------------------------|-----------------|--------------|---------------------------|---------------------------|
| NPV (no investment) | | 5 039.7 | 5 219.0 | 5 294.8 |
| NPV (investment) | | 5 231.5 | 5 711.9 | 6 009.3 |
| Real options value | $H(q_0, \xi_0)$ | 5 256.3 | 5 712.1 | 6 009.3 |
| Capacity upgrade (invest now) | $u^*(\xi_0)$ | 71.3% | 82.3% | 87.6% |
| Capacity upgrade (at trigger) | $u^*(\xi^*)$ | 101% | 83.7% | 80.4% |
| Price trigger | $\exp(\xi^*)$ | 93.3 €/MWh | 32.0 €/MWh | 22.0 €/MWh |
| Investment probability (10 years) | | 1.3% | 85.0% | 100% |

Conclusions

- We present an approach for capacity upgrade analysis
 - Capacity affects operational pattern from which the value of the investment originates
 - Investment timing and capacity choice interacts
 - Investment is supported at lower prices when the short-term variability of these prices increases
- Future work: market effects of upgrades
 - Which plant to upgrade?
 - Flexibility value vs aggregate investment

